

# Inherited vs Self-Made Wealth: Theory & Evidence from a Rentier Society

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**Abstract:** This paper divides the population into two groups: the “inheritors” or “rentiers” (whose wealth is smaller than the capitalized value of their inherited wealth, i.e. who consumed more than their labor income during their lifetime); and the “savers” or “self-made men” (whose wealth is larger than the capitalized value of their inherited wealth, i.e. who consumed less than their labor income). Applying this simple theoretical model to a unique micro data set on inheritance and matrimonial property regimes, we find that Paris in 1872-1937 looks like a prototype “rentier society”. Rentiers made about 10% of the population of Parisians but owned 70% of aggregate wealth. The key mechanism generating rentier societies is  $r > g$ . When the rate of return on private wealth  $r$  is permanently and substantially larger than the growth rate  $g$  (say,  $r=4\%-5\%$  vs.  $g=1\%-2\%$ ), which was the case in the 19<sup>th</sup> century and early 20<sup>th</sup> century and is likely to happen again in the 21<sup>st</sup> century, then top successors, by consuming the return to their inherited wealth, can sustain living standards which were very hard to attain on the basis of labor income alone.

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\*\* This preliminary version probably contains a number of typos and omissions. All comments are welcome ([piketty@ens.fr](mailto:piketty@ens.fr), [gpv@ens.fr](mailto:gpv@ens.fr), [jlr@hss.caltech.edu](mailto:jlr@hss.caltech.edu)). A detailed data appendix supplementing the present working paper is available on-line at [www.jourdan.ens.fr/piketty/rentiersociety/](http://www.jourdan.ens.fr/piketty/rentiersociety/).

## **1. Introduction**

**The relative importance of inherited and self-made wealth is arguably one of the most controversial issues in political debates and in the social sciences.** Of course, most countries like to view themselves as fundamentally meritocratic. That is, as countries where hard work and wise savings decisions – rather than inheritance – are the primary channel to achieve material well being and to become rich. France is no exception. Ever since the 1789 Revolution, the French like to view themselves as a country where the principles of individual merit, personal accountability and freedom have triumphed over the principle of lineage. Equally strong beliefs exist in many parts of the world, most notably in the United States. However, to be honest, the sad truth is that these are mostly self-serving political statements – both in France and in the United States, and elsewhere. In terms of scientific research, we actually know very little about the relative importance of inherited wealth and self-made wealth, and how and why it evolves over time and across countries.

This paper makes two contributions to this debate. First, we propose a new theoretical definition of the share of inherited wealth in aggregate wealth accumulation. We divide the population into two groups: the “inheritors” or “rentiers” (whose wealth is smaller than the capitalized value of their inherited wealth, i.e. who consumed more than their labor income during their lifetime); and the “savers” or “self-made men” (whose wealth is larger than the capitalized value of their inherited wealth, i.e. who consumed less than their labor income during their lifetime). We define inherited wealth as the sum of inheritors’ wealth plus the inherited fraction of savers’ wealth, and self-made wealth as the non-inherited fraction of savers’ wealth. By construction, the shares of inherited and self-made wealth in aggregate wealth sum to 100%. Although this is fairly straightforward, this differs considerably from the standard definitions based upon representative agent models. We argue that our definition is conceptually more consistent, and provides a more meaningful way to look at the data and to analyze the structure of the wealth accumulation process.

Next, in order to illustrate this point, we apply our theoretical definitions to an extraordinarily rich micro level data base on inheritance and matrimonial property regimes, which we collected using individual estate tax records in Paris between 1872 and 1937. We find that rentiers made about 10% of the population of Parisians and owned about 60%-70% of aggregate wealth. The total fraction of inherited wealth was as large as 70%-80%. Most importantly, we find the population and wealth shares of rentiers rise dramatically with the wealth levels. Rentiers made only 25% of the middle class (wealth fractile P50-90), but about 50% of the “middle rich” (P90-99), and over 70% of the “very rich” (P99-100). This does not mean that there were no self-made entrepreneurs. In the top rank of the wealth hierarchies, we do find about 25%-30% of individuals who started off in life with limited inherited wealth and made their way to the top. But they were a minority.

We argue that Paris in 1872-1937 was the quintessence of what one might indeed call a “rentier society”. That is, a society where top successors, by consuming the return to their inherited wealth, could sustain living standards which were very hard to attain on the basis of labor income and individual merit alone. To be sure, France at that time looked more like a “land of rentiers” than a “land of opportunities”.

What do we learn from these findings? Do rentier societies belong to the past, or are today’s developed societies not that different, and why? Unfortunately, we do not know of any sufficiently rich data set for the contemporary period (neither for France nor for any country we know) that would allow us to rigorously undertake the same computations as for Paris 1872-1937. To our knowledge, the simple decomposition between inheritors and savers has never been estimated for any country prior to the present paper. However, exploratory computations suggest that while today’s rentiers shares in population and wealth are probably lower than in Paris 1872-1937, they might not that much lower.

First, when studying wealth and inheritance, it is important to have in mind that the historical decline of wealth concentration in developed societies has been quantitatively less important than some observers tend to imagine. In order to fix

ideas, we compare on Table 1 the wealth distributions prevailing in Paris 1912 and in today's United States. The Paris 1912 data comes from our data set. The U.S. 2007 data simply comes from the latest SCF (Survey of consumer finances), with no adjustment whatsoever. In particular, the SCF probably understates top wealth shares, and we did not try to correct for this.<sup>1</sup> The Paris 1912 data is probably closer to the true distribution prevailing then: this is administrative tax data, at a time when tax rates were extremely low and inheritors had strong incentives to register themselves. In order to make the figures more comparable, we report on Table 1 both the wealth shares and the corresponding average wealth levels, assuming that per adult average wealth is equal to 200,000€ both in Paris 1912 and U.S. 2007.<sup>2</sup>

Insert Table 1: Wealth inequality: Paris 1912 vs U.S. 2007

As one can see, Paris in 1912 was a very unequal place. The top 10% of the population, which one might call the “upper class” owned over 95% of aggregate wealth (with as much as 60%-65% to the top 1%, and 30%-35% for the next 9%). The wealth shares of the bottom 50% (the “poor”) and the “middle class” (middle 40%) were close to 0%. Basically there was no middle class. This is consistent with our previous research, showing that wealth concentration reached an historical peak on the eve of World War 1 (with top 1% shares over 50% for the all of France and over 60% in Paris), and then declined in the aftermath of the world wars (particularly World War 2).<sup>3</sup> Now, if one compares with the level of wealth concentration observed in today's United States, one can see that the main transformation of the past century is the development of a middle class. In today's U.S., in the same way as in today's

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<sup>1</sup> We simply took the raw wealth shares by wealth fractiles from the 2007 SCF reported by Kennickell (2009, Table 4). Kennickell later compares the top wealth levels reported in the SCF and in other data sources (such as Forbes 500 rankings), and finds that the SCF understates very top wealth shares.

<sup>2</sup> In today's France, per adult national income is about 35,000€ and per adult private wealth is about 200,000€. See e.g. Piketty (2010). Per adult averages are similar in the U.S. and other rich countries.

<sup>3</sup> See Piketty, Postel-Vinay and Rosenthal (2006). In this paper, we concentrated upon the long run evolution of cross-sectional wealth concentration in France. The novelty of the present paper is that by making use of the matrimonial property regime data we are now able to relate decedents wealth to the bequests and gifts received by the decedents during their entire lifetime; see section 4 below for more details on why French estate tax registers allow us to do so.

France and other rich countries,<sup>4</sup> the middle class is made of individuals who may not own a lot individually (typically, 100,000€ or 200,000€), but who are very numerous and therefore own collectively a non-negligible fraction of aggregate wealth. This is certainly a major development, with far reaching political consequences. The simple point we want to make here is simply that one should overstate the quantitative importance of these historical changes. At the end of the day, the middle class wealth share in today's United States is only 26%; the upper class wealth share (as measured by the SCF) is 72%. This is certainly lower than the 96% observed in Paris 1912. But this is not that much lower.

This is the first reason why we feel that the study of the rentier societies of the past can be of some relevance for the study of present and the future. The wealth accumulation process always seems to involve very heterogeneous agents and trajectories, and cannot be properly and understood analyzed within representative agent frameworks.

The second reason why we believe that the issue of inherited wealth should rank highly on the research agenda is simply because aggregate inheritance is likely to be big in the coming decades. It will probably be as big as during the Paris 1872-1937 – and in any case it will be much bigger than the unusually low levels observed in the 1950s-1970s period (a period which has had a deep – and arguably excessive – impact on modern economic thinking on wealth accumulation, with a great deal of faith in the lifecycle story). As one of us has recently shown for the case of France, the aggregate inheritance flow has gone through a very marked U-shaped evolution over the past century (see Figure 1, which we extract from Piketty (2010)). This aggregate evolution can be partly accounted for in part by the aggregate evolution of the private wealth-income ratio (which fell to unusually low levels in the 1950s, due to war destructions and – most importantly – to the low real estate and stock prices prevailing in the post war period). But this long run U-shaped pattern is also the

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<sup>4</sup> Wealth is currently somewhat more concentrated in the U.S. than in other developed countries. E.g. in France the top 10% wealth appears to be closer to 60% than to 70%, and the bottom 50% wealth share is closer to 5% than to 2%. But the figures are roughly comparable, as a first approximation.

consequence of the fact that it took long time for the age-wealth profile to become rising again, but it eventually did.

The key economic mechanism explaining why aggregate inheritance eventually returned to high steady-state levels follows directly from a simple “ $r>g$ ” logic. That is, when the rate of return on private wealth  $r$  is permanently and substantially larger than the growth rate  $g$  (say,  $r=4\%-5\%$  vs.  $g=1\%-2\%$ ), which was the case in the 19<sup>th</sup> century and early 20<sup>th</sup> century and is likely to happen again in the 21<sup>st</sup> century, then past wealth and inheritance are bound to play a key role for aggregate wealth accumulation. As we shall see in the present paper, this “ $r>g$ ” logic also has major consequences not only at the aggregate level, but also for the micro structure of lifetime inequality and the emergence and sustainability of rentier societies.

## **2. Relation to existing literature**

TO BE COMPLETED

This research is related to several literatures.

Literature on long run trends in income and wealth inequality

Literature on intergenerational transfers and wealth accumulation

Literature on calibrated models of wealth distributions

## **3. A simple model of “inheritors” vs “savers”**

### **3.1. Basic notations and definitions**

Consider a population of size  $N_t$ , with aggregate private wealth  $W_t$  and national income  $Y_t = Y_{Lt} + r_t W_t$ , where  $Y_{Lt}$  is aggregate labor income, and  $r_t$  is the average rate of

return on private wealth. We note  $w_t = W_t/N_t$  per capita wealth,  $y_{Lt} = Y_{Lt}/N_t$  per capita labor income,  $y_t = Y_t/N_t = y_{Lt} + r_t w_t$  per capita national income.

Consider a given individual  $i$  with wealth  $w_{ti}$  at time  $t$ . Assume he or she received bequest  $b_{ti}^0$  at time  $t_i < t$ . Note  $b_{ti}^* = b_{ti}^0 e^{r(t_i, t)}$  the capitalized value of  $b_{ti}^0$  at time  $t$  (where  $r(t_i, t)$  is the cumulated rate of return between time  $t_i$  and time  $t$ ).

**Definitions.** At any time  $t$  one can divide total population  $N_t$  between “inheritors” (or “rentiers”)  $N_t^r = \{i \text{ s.t. } w_{ti} < b_{ti}^*\}$  and “savers” (or “self-made men”)  $N_t^s = \{i \text{ s.t. } w_{ti} \geq b_{ti}^*\}$ . We note  $\rho_t = N_t^r/N_t$  and  $1-\rho_t = N_t^s/N_t$  the fractions of inheritors and savers in total population. We note  $w_{tr} = E(w_{ti} | w_{ti} < b_{ti}^*)$  and  $w_{ts} = E(w_{ti} | w_{ti} \geq b_{ti}^*)$  the average wealth of inheritors and savers; and  $b_{tr}^* = E(b_{ti}^* | w_{ti} < b_{ti}^*)$  and  $b_{ts}^* = E(b_{ti}^* | w_{ti} \geq b_{ti}^*)$  the average capitalized bequest of inheritors and savers. We note  $\pi_t = \rho_t w_{tr}/w_t$  and  $1-\pi_t = (1-\rho_t)w_{ts}/w_t$  the shares of inheritors and savers in aggregate wealth. Finally, we define  $\phi_t$  and  $1-\phi_t$  the shares of inherited wealth and self-made wealth in aggregate wealth:

$$\phi_t = [\rho_t w_{tr} + (1-\rho_t)b_{ts}^*]/w_t = \pi_t + (1-\rho_t)b_{ts}^*/w_t \quad (3.1)$$

$$1-\phi_t = (1-\rho_t)(w_{ts}-b_{ts}^*)/w_t = 1-\pi_t - (1-\rho_t)b_{ts}^*/w_t \quad (3.2)$$

It is worth stressing that all we need in order to compute  $\rho_t$ ,  $\pi_t$  and  $\phi_t$  is to know the joint distribution  $G_t(w_{ti}, b_{ti}^*)$  of current wealth  $w_{ti}$  and capitalized bequest  $b_{ti}^*$ . This does require high-quality, individual-level data on wealth and inheritance. But the important point is that we do need to know anything about individual labor income and consumption paths ( $y_{Lti}$ ,  $c_{ti}$ ,  $t' < t$ ) followed by individual  $i$  during his lifetime. Of course it is always better to have more data. In case we can also observe (or estimate) labor income and consumption paths, then one can compute the lifetime individual savings rate  $s_{Bti}$ , i.e. the share of lifetime resources that was not consumed up to time  $t$ :

$$s_{Bti} = w_{ti}/(b_{ti}^* + y_{Lti}^*) = 1 - c_{ti}^*/(b_{ti}^* + y_{Lti}^*) \quad (3.3)$$

With:  $y_{Lti}^* = \int_{t' < t} y_{Lti} e^{r(t', t)} dt'$  = capitalized value at time  $t$  of past labor income flows  
 $c_{ti}^* = \int_{t' < t} c_{ti} e^{r(t', t)} dt'$  = capitalized value at time  $t$  of past consumption flows

By definition, inheritors are individuals who consumed more than their labor income (i.e.  $w_{ti} < b_{ti}^* \leftrightarrow c_{ti}^* > y_{Lti}^*$ ), while savers are individuals who consumed less than their labor income (i.e.  $w_{ti} \geq b_{ti}^* \leftrightarrow c_{ti}^* \leq y_{Lti}^*$ ). But the point is that we only need to observe  $w_{ti}$  and  $b_{ti}^*$  in order to determine whether a given individual  $i$  is an inheritor or a saver.

In this paper, we are interested not only in estimating  $\rho_t$ ,  $\pi_t$  and  $\varphi_t$  at the aggregate level, but also in analyzing how  $\rho_t(w)$ ,  $\pi_t(w)$  and  $\varphi_t(w)$  vary with the wealth level  $w$ . E.g. what is the fraction of inheritors  $\rho_t(w)$  within the top 10% or top 1% of the wealth distribution, and what wealth share  $\pi_t(w)$  do they own within top wealth fractiles?

Note also one can define  $\rho_t$ ,  $\pi_t$  and  $\varphi_t$  either for the entire living population or for the subpopulation of decedents (i.e. for the subset of individuals  $i$  who die at time  $t$ ). We will provide both computations (as well as the full age profiles  $\rho_t(a)$ ,  $\pi_t(a)$  and  $\varphi_t(a)$ ), but we tend to be more interested in the values taken by  $\rho_t$ ,  $\pi_t$  and  $\varphi_t$  among decedents. The very idea of lifetime balance sheets (how much did one receive in lifetime resources, vs how much did one consume) makes more sense at the time of death. At young age (say,  $a=20$ ), very few people have received any bequest, so  $\rho_t(a)$ ,  $\pi_t(a)$  and  $\varphi_t(a)$  are bound to be close to 0%.

### 3.2. A simple numerical illustration

**Example 1.** At age  $a=60$ , Mr Martin owns a Paris apartment worth 500,000€ (net of outstanding mortgage liabilities), equity assets worth 100,000€, and mutual funds shares worth 300,000€. At age  $I=30$ , he inherited 400,000€ in life insurance assets from his parents, which he does not own any more. So  $w_{ti}=900,000€$  and  $b_{ti}^0=400,000€$ . With a constant rate of return  $r_t=r$ , capitalized bequest  $b_{ti}^*$  is given by:

$$b_{ti}^* = e^{r(a-I)} b_i \quad (3.4)$$

With  $I=30$ ,  $a=60$  and  $r=4\%$ , then  $e^{r(a-I)}=332\%$  and  $b_{ti}^*=1,328,000€ = 400,000€$  (capital value) + 928,000€ (cumulated return). That is,  $b_{ti}^* > w_{ti}$ , i.e. according to our definitions

Mr Martin is an “inheritor” (or a “rentier”). We do not really care about how exactly Mr Martin organized his life and his finances, and in particular how he used the 400,000€ that he received from his parents. Maybe he decided to immediately invest this sum in equity and mutual funds shares, from which he received a cumulated rental income equal to 928,000€, which he partly used to repay mortage interest on his Paris appartement, while at the same time consuming more than his labor income – exactly 428,000€ more (928,000€ - 500,000€). Or maybe he decided to use the 400,000€ capital purchase his Paris apartment right away (with a small mortage of 100,000€), so as to save on future interest payments. This is wholly irrelevant from a welfare perspective. Whatever his consumption and investment choices might have been, the point is that he was able to acquire assets while at the same time consuming more than his labor income. Of course, the rate of return plays a key role in these computations. With  $r=3\%$ ,  $e^{r(a-l)}=246\%$  and  $b_{ti}^*=984,000\text{€}$ . With  $r=5\%$ , then  $e^{r(a-l)}=448\%$  and  $b_{ti}^*=1,792,000\text{€}$ . We return to this in the empirical section.

**Example 2.** At age  $a=60$ , Mr Smith owns a small house worth 60,000€ (net of outstanding mortgage liabilities), and 20,000€ in various savings accounts. He inherited 10,000€ from his parents at age  $l=30$ , which he spent when he contracted a loan to purchase his house. So  $w_{ti}=80,000\text{€}$  and  $b_i=10,000\text{€}$ . With  $r=4\%$ ,  $e^{r(a-l)}=332\%$  and  $b_{ti}^*=33,000\text{€}$ . So we have  $b_{ti}^*<w_{ti}$ : Mr Smith is a “saver” (or a “self-made man”). Over his lifetime he consumed less than his labor income.<sup>5</sup>

Now consider an hypothetical economy with a fraction  $p_t=20\%$  of inheritors like Mr Martin ( $w_{tr}=900,000\text{€}$ ,  $b_{tr}^*=1,328,000\text{€}$ ) and a fraction  $1-p_t=80\%$  of savers like Mr Smith ( $w_{ts}=80,000\text{€}$ ,  $b_{ts}^*=33,000\text{€}$ ). Average wealth  $w_t=p_tw_{tr}+(1-p_t)w_{ts}=244,000\text{€}$ , while average capitalized bequest  $b_t^*=p_tb_{tr}^*+(1-p_t)b_{ts}^*=292,000\text{€}$ . Applying our definitions, we find the inheritors share in aggregate wealth  $\pi_t$  is equal to  $\pi_t=p_tw_{tr}/w_t$

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<sup>5</sup> One important implicit assumption in these definitions and computations is that the rate of return  $r_t$  is the same for all assets and all individuals (and is the same as the borrowing rate). In practice rates of return  $r_t$  vary enormously across assets and individuals. To the extent that on average  $r_t(w)$  tends to rise with the wealth level  $w$  (e.g. because of fixed costs), and that the borrowing rate is higher than the lending rate, this would most certainly tend to amplify the inequality in lifetime resources between inheritors and savers. Our assumption of a common  $r_t$  is a natural starting point, and is probably justified as a first approximation; but this is an issue that should be addressed in future research

=74%, and that the total share of inherited wealth in aggregate wealth  $\phi_t$  is equal to  $\phi_t = \pi_t + (1-\pi_t)b_{ts}^*/w_t = 85\%$ .

These numbers were chosen for illustrative purposes, but are not too different from the actual numbers currently prevailing for the top 20% and the bottom 80% of the wealth distribution (each taken as an homogenous group) in countries like France or the United States.<sup>6</sup>

### 3.3. Differences with the Kotlikoff-Summers-Modigliani definitions

The key difference between our definition of the inheritance share in aggregate wealth accumulation and the Kotlikoff-Summers-Modigliani (KSM) standard definitions is that we explicitly distinguish between two subgroups in the population, while the KSM definitions are based upon a representative agent model. Kotlikoff and Summers (1981, 1988) defined the inheritance share as the share of aggregate capitalized bequests in aggregate wealth:

$$\phi_t^{KS} = B_t^*/W_t = b_t^*/w_t \quad (3.5)$$

With:  $B_t^*$  = capitalized value at time t of past bequests (i.e. all bequests received at any time  $t' < t$  by individuals still alive at time t)

$b_t^* = B_t^*/N_t$  = per capita capitalized value at time t of past bequests

Modigliani (1986, 1988) defined the inheritance share as the share of aggregate non-capitalized bequests in aggregate wealth:

$$\phi_t^M = B_t^0/W_t = b_t^0/w_t \quad (3.5)$$

With:  $B_t^0$  = non-capitalized value of past bequests (i.e. all bequests received at any time  $t' < t$  by individuals still alive at time t)

$b_t^0 = B_t^0/N_t$  = per capita non-capitalized value at time t of past bequests

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<sup>6</sup> In the U.S., wealth concentration is actually somewhat larger (the top 10% share alone is equal to 72%, see Table 1 above).

By construction, as long as assets generate positive returns ( $r>0$ ):  $\phi_t^M < \phi_t^{KS}$ .

Take for instance the illustrative economy described above. Applying Modigliani's definition, we find  $\phi_t^M = b_t^0/w_t = 36\%$ .<sup>7</sup> Applying Modigliani-Summers' definition, we find  $\phi_t^{KS} = b_t^*/w_t = 120\%$ .<sup>8</sup> With our own definition we found  $\phi_t = 85\%$  (see above).

For plausible joint distributions  $G_t(w_{ti}, b_{ti}^*)$ , our inheritance share  $\phi_t$  will typically fall somewhere in the interval  $[\phi_t^M, \phi_t^{KS}]$ . Note however that there is no theoretical reason why it should be so in general. Imagine for instance an economy where inheritors entirely consume their bequest the very day they receive it, and never save afterwards, so that wealth accumulation entirely comes from the savers, who never received any bequest (or negligible amounts), and who patiently accumulate savings from their labor income. Then with our definition  $\phi_t = 0\%$ : in this economy, 100% of wealth accumulation comes from savings, and nothing at all comes from inheritance. However with the Modigliani and Kotlikoff-Summers definitions, the inheritance shares  $\phi_t^M$  and  $\phi_t^{KS}$  could be arbitrarily large.

More generally, the problem with the KSM representative-agent approach is that it fails to recognize that the wealth accumulation process always involves very different kind of people and wealth trajectories. In every economy, there are inheritors (people who typically consume part the return to their inherited wealth), and there are savers (people who typically did not inherit much but did accumulate wealth through labor income savings). This is an important feature of the real world, and we feel that this ought to be taken into account if we want to develop a proper understanding of the aggregate wealth accumulation process.

The Modigliani definition is particularly problematic, since it simply fails to recognize that inherited wealth produces flow returns. This mechanically leads to artificially low numbers for the inheritance share  $\phi_t^M$  (as low as 20%-40%), and to artificially high numbers for the life-cycle share in wealth accumulation, which Modigliani simply

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<sup>7</sup>  $b_t^0 = p_t b_{tr}^0 + (1-p_t) b_{ts}^0 = 88,000\text{€}$ , and  $88,000/244,000 = 36\%$ .

<sup>8</sup>  $b_t^* = p_t b_{tr}^* + (1-p_t) b_{ts}^* = 292,000\text{€}$ , and  $292,000/244,000 = 120\%$ .

defined as  $1-\phi_t^M$  (as large as 60%-80%).<sup>9</sup> As was argued by Blinder (1988): “a Rockefeller with zero lifetime labor income and consuming only part of his inherited wealth income would appear to be a life-cycle saver in Modigliani’s definition, which seems weird to me”. In the illustrative example described above, even if everybody in the economy was like Mr Martin (i.e. if all wealth comes from inheritance, so that  $\phi_t=100\%$  with our definition), then Modigliani would still find an inheritance share  $\phi_t^M$  of only 44%,<sup>10</sup> and would attribute 56% of aggregate wealth accumulation to life-cycle motives. This really makes little sense.

The Kotlikoff-Summers definition is conceptually more satisfactory than Modigliani’s. But it suffers from the opposite drawback, in the sense that it mechanically leads to artificially high numbers for the inheritance share  $\phi_t^{KS}$ . In fact, as the above example illustrates,  $\phi_t^{KS}$  can typically be larger than 100%, even though there are savers in the economy, and a significant fraction of aggregate wealth accumulation comes from them.<sup>11</sup> We will return to this when we present our empirical results.

Of course, the downside with our definition is that it is more demanding in terms of data availability. While Modigliani and Kotlikoff-Summers could compute inheritance shares in aggregate wealth by using solely aggregate data, we definitely need micro data. Namely, we need data on the joint distribution distributions  $G_t(w_{ti}, b_{ti}^*)$  of current wealth and capitalized inherited wealth.

### 3.4. Husbands and wives

Strictly speaking, our individual-based definitions of inheritors and savers only apply to a world of single individuals, or to a world where all married couples adopt a

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<sup>9</sup> In effect, Modigliani defined savings as labor income plus capital income minus consumption (and then defines lifecycle wealth as the cumulated value of past savings), while Kotlikoff-Summers defined savings as labor income minus consumption. Given that the capital share is typically larger than the savings rate, this of course makes a big difference. See Piketty (2010).

<sup>10</sup>  $400,000\text{€}/900,000\text{€}=44\%$ .

<sup>11</sup> In the original KSM controversy, Kotlikoff and Summers found an inheritance share of “only” 80% (which was already quite large, given that Modigliani was claiming that the right number was 20%, in spite of the fact that both were using the same data). However both sides were using US data of the 1960s-1970s, a time at which aggregate inheritance flows were unusually low. Also, they were not fully taking inter vivos gifts, which are hard to measure in the U.S. given the imperfections of U.S. estate tax data.

matrimonial regime with complete separation of property and income. However, in France, and in many countries, the most common matrimonial property regime is the “community of acquisitions” regime, whereby each spouse remains the sole owner of his or her inherited assets (so-called “separate assets”), but the returns to these assets automatically fall into community property, and can be used to accumulate “community assets”, along with other income flows. That is, the total wealth  $w_{tij}$  of a married couple ij can generally be broken down into three parts:<sup>12</sup>

$$w_{tij} = w_{tij}^c + b_{ti}^0 + b_{tj}^0 \quad (3.6)$$

With:

$w_{tij}^c$  = community wealth of married couple ij

$b_{ti}^0$  = non-capitalized value of past bequests received by husband i

$b_{tj}^0$  = non-capitalized value of past bequests received by wife j

One possibility would be to define inheritors and savers at the household level rather than at the individual level. According to the household-level definition, both spouses i and j in a married couple are said to be “inheritor” (or “rentier”) if the following holds:

$$w_{tij} < b_{ti}^* + b_{tj}^* \quad (3.7)$$

With:  $b_{ti}^*$  = capitalized value of past bequests received by the husband i

$b_{tj}^*$  = capitalized value of past bequests received by the wife j

One can then define household-level inheritors shares  $p_t^H$ ,  $\pi_t^H$  and  $\phi_t^H$ . Unfortunately, because of data limitations (we generally do not observe  $b_{ti}^*$  and  $b_{tj}^*$  for both spouses i and j at the same time), we will not be able to fully implement these household-level definitions. So we will mostly focus upon individual-level definitions of inheritors

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<sup>12</sup> Here we ignore a number of legal and empirical complications, in particular due to asset portfolio reallocations during marriage and reimbursements between spouses, and due to inter vivos gifts and dowries. In section 3 we provide more details on the French matrimonial property regime and the way we use the data that goes with it in order to compute  $w_{ti}$  and  $b_{ti}^*$ .

shares  $\rho_t$ ,  $\pi_t$  and  $\varphi_t$ . That is, if a given individual  $i$  belongs to a married couple  $ij$ , then we say that individual  $i$  is an inheritor when the following condition holds:

$$w_{ti} = w_{tij}^C / 2 + b_{ti}^0 < b_{ti}^* \quad (3.8)$$

In case of perfect positive assortative mating ( $b_{ti}^* = b_{tj}^*$ ), then both definitions perfectly coincide:  $\rho_t = \rho_t^H$ ,  $\pi_t = \pi_t^H$  and  $\varphi_t = \varphi_t^H$ . I.e. a married couple  $ij$  qualifies as “inheritor” according to the household definition if and only if both spouses  $i$  and  $j$  qualify as “inheritors” according to the individual definition. With less than perfect positive assortative mating, then one can easily construct cases where  $\rho_t < \rho_t^H$ , and cases where  $\rho_t > \rho_t^H$ . E.g. a penniless man  $i$  ( $b_{ti}^* = 0$ ) married to a wealthy woman  $j$  ( $b_{tj}^* > 0$ ) might appear as a self-made man according to the individual definition (equation (3.8)), although the married couple as a whole qualifies as rentier according to the household definition (equation (3.9)). Such cases tend to push  $\rho_t$  below  $\rho_t^H$ . I.e. the individual level definition tends to underestimate the fraction of rentiers in the population. But there can also be cases where the married couple as a whole does not qualify as rentier, but where one member does, thereby pushing  $\rho_t$  above  $\rho_t^H$ . We return to this issue when we present our results.

### 3.5. Steady-state formulas for $\rho$ , $\pi$ and $\varphi$

In the empirical application, we apply the equations for  $\rho_t$ ,  $\pi_t$  and  $\varphi_t$  given in the previous sections, which are valid both in steady-state and out of steady-state. Here we provide a number of closed-form steady-state formulas for  $\rho$ ,  $\pi$  and  $\varphi$ , which provide further insights into the structural determinants of inheritors’ shares in population and wealth. The general result is that for given savings behaviour the steady-state fractions  $\rho(r,g)$ ,  $\pi(r,g)$  and  $\varphi(r,g)$  are an increasing function of  $r$  and a decreasing function of  $g$ .<sup>13</sup>

TO BE COMPLETED

(gender-free model = perfect assortative mating)

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<sup>13</sup> These results extend the steady-state formulas derived by Piketty (2009) in an aggregate setting.

## **4. Inheritance data and matrimonial property regimes in France**

In order to estimate the joint distribution  $G_t(w_{ti}, b_{ti}^*)$  of wealth and capitalized bequest, we take advantage of the exceptional quality of French estate tax data. We use a new micro level inheritance data base which we collected using individual estate tax records in Paris between 1872 and 1937.

### **4.1. Estate tax data in France**

French estate tax data is very rich, for one simple reason. As early as 1791, shortly after the abolition of the tax privileges of the aristocracy, the French National Assembly introduced a universal estate tax, which has remained in force since then.<sup>14</sup> This estate tax was universal because it applied both to bequests and to inter-vivos gifts, at any level of wealth, and for nearly all types of property (both real estate and financial assets). The key characteristic of the tax is that the successors of all decedents with positive wealth, as well as all donees receiving a positive gift, have always been required to file a return, no matter how small the estate was. This followed from the fact that the tax was thought more as a registration duty than as a tax: filling a return has always been the way to register the fact that a given property has changed hands. There is ample evidence that these legal requirements have always been applied relatively strictly. In addition, the tax rates were relatively small until the interwar period, so there was really very little incentive to cheat.

The other good news for scholars is that the tax authorities transcribed individual returns in registers that have been well preserved since the early 19<sup>th</sup> century. In our previous work, we collected large samples of individual returns in Paris between 1807 and 1902, which we linked to national samples and to tabulations by estate and

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<sup>14</sup> The French Revolution may not have created a perfect meritocracy; but at least it created a data source to study wealth and inheritance. The United Kingdom did not see a universal estate tax before 1894, and the United States waited until 1916. Even after these dates, only a small minority of the population was required to fill estate tax returns in these two countries, so the data is much less rich.

age brackets compiled by the tax administration after 1902. Our primary objective was to construct cross-sectional estimates of wealth concentration in Paris and France from 1807 until the present day. So we mostly collected data on the cross-sectional distribution of wealth  $w_{ti}$  among year  $t$  decedents (which we then converted into cross-sectional distribution of wealth among year  $t$  living individuals, using standard differential mortality techniques and assumptions).<sup>15</sup>

We later realized that the registers contain a lot of additional information on the wealth trajectory of decedents, and not only on wealth at death. In particular, they include enough information to estimate the full joint distribution  $G_t(w_{ti}, b_{ti}^*)$  among married decedents, and not only to the cross section distribution  $G_t(w_{ti})$ . That is, for the subset of married decedents, one can observe in individual tax returns not only the current wealth  $w_{ti}$  left by all individuals  $i$  deceasing in year  $t$ , but also the value of past bequests  $b_{ti}^0$  which these individuals themselves received during their lifetime (from which one can compute capitalized bequest  $b_{ti}^*$ ). In effect, it is as if we were observing wealth across two generations, except that we do not need to match estate tax returns across two generations (which is very costly to do with large samples, and generally results into severe sample attrition). The reason why this retrospective wealth data is available in the estate tax returns of married decedents is simply because the tax administration needs this information in order to apply the Civil Code rules of estate division between the surviving spouse, children and other heirs. We therefore returned to the archives and collected new data in the Paris tax registers for years 1872, 1912, 1922, 1927, 1932, 1937, including full details about the matrimonial structure of property among married decedents. In order to better explain the richness (and limitations) of the data source, it is useful to give more information about matrimonial property regimes and estate division rules in France.

#### 4.2. Community assets vs separate assets

In France, the default matrimonial property regime has been the “community of acquisitions” regime ever since the French Revolution (Civil Code, 1804). That is, at

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<sup>15</sup> See Piketty, Postel-Vinay and Rosenthal (2006).

the time of death of the first deceasing spouse, the net wealth (assets minus liabilities)  $w_{tij}$  owned by a married couple  $ij$  is broken down into three parts:

$$w_{tij} = a_{tij}^c + a_{ti}^s + a_{tj}^s \quad (4.1)$$

With:

$a_{tij}^c$  = community property assets ("biens de communauté")

$a_{ti}^s$  = husband's separate property assets ("biens propres du mari")

$a_{tj}^s$  = wife's separate property assets ("biens propres de la femme")

By definition, community property assets  $a_{tij}^c$  include all assets acquired during the marriage (minus all outstanding liabilities contracted during the marriage), while separate property assets  $a_{ti}^s$  and  $a_{tj}^s$  include all assets (net of asset-specific liabilities such as business debts) which the husband  $i$  or the wife  $j$  received through bequests or inter vivos gifts (both before the marriage and during the marriage),<sup>16</sup> and which they still own in year  $t$ . The general rule is that community assets  $a_{tij}^c$  belong equally to the husband and the wife (on a 50%-50% basis, irrespective of whose income was used to acquire the assets), while husband's separate assets  $a_{ti}^s$  solely belong to the husband and wife's separate assets  $a_{tj}^s$  solely belongs to the wife.

In the tax registers we observe not only the total values  $a_{tij}^c$ ,  $a_{ti}^s$  and  $a_{tj}^s$  of these three groups of assets, but also the detailed asset portfolio composition behind each total: real estate, equity, bonds, cash, furnitures, etc.<sup>17</sup> Note that the asset values reported in tax registers are estimated at the asset market prices prevailing on the day of death (irrespective of when the asset was acquired or transmitted).

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<sup>16</sup> Strictly speaking, separate property assets also include assets that were acquired (rather than inherited) by the husband or the wife prior to the marriage. Within the set of assets owned before marriage, we have no way to distinguish between acquired and inherited assets. However because most people married at a relatively early age and rarely divorced at that time, the non-inherited fraction of separate property assets is bound to be very small. In order to test for this assumption, we re-did the computations with the sub-samples of decedents who married early and late (we observe the date of marriage in the tax registers), and found no significant difference in the results.

<sup>17</sup> In the registers, we actually observe the address and value of each piece of real estate property, the company name and corresponding stake for each equity or bond asset, etc. We reclassified these assets into broad categories. See section 5 below, and Appendix B for detailed results.

In the life of married couple, it often happens that some assets which the husband and/or the wife received via bequests and inter vivos gifts are sold during the marriage (e.g. in order to acquire community assets, or to raise community consumption). Typically, the parents of the husband and/or the parents of the wife give a sum of money (or any other asset) at the time of marriage (or later on), which the married couple then uses to purchase real estate or financial assets.

From the viewpoint of the Civil Code, it is very important to keep track of these asset portfolio reallocations, because under the “community of acquisitions” regime whatever was contributed by the parents (or any other donor) of a given spouse belongs solely to this given spouse, irrespective of how the money was used by the married couple. In order to make the necessary adjustments to estate division, the Civil Code specifies that: “Shall be established in the name of each spouse an account of the reimbursement which the community owes to him or her and of the reimbursement which he or she owes to the community” (Article 1468).

So in the tax registers we also observe not only the list of community and separate assets  $a_{tij}^c$ ,  $a_{ti}^s$  and  $a_{tj}^s$  which are currently owned by the married couple and by each spouse separately, but also the list of inherited assets  $a_{ti}^R$  and  $a_{tj}^R$  which were sold and contributed to the community during the marriage, and which at the time of death need to be reimbursed to each spouse. The reimbursement values  $a_{ti}^R$  and  $a_{tj}^R$  reported in tax registers are based upon the nominal prices at which these assets were sold, with no inflation adjustment.<sup>18</sup> They are deducted from community assets and added to separate assets in order to compute the estate values  $e_{ti}$  and  $e_{tj}$  belonging to each spouse.<sup>19</sup>

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<sup>18</sup> Prior to World War 1 this was almost irrelevant, since there was virtually no inflation. During and after WW1 this becomes a significant issue, and we will make the necessary adjustments (see below).

<sup>19</sup> So as to simplify exposition, we actually note  $a_{ti}^R$  and  $a_{tj}^R$  the net reimbursement values owed by the community to each spouse, i.e. the net difference between reimbursement owed by the community and reimbursements owed to community. The latter are usually much smaller than the former, so net reimbursement values are generally positive. Reimbursements owed to the community correspond to situations when some community income or asset was used during the marriage in order to raise the value of a separate asset (say, to repair the roof of a countryside house, or to repay a business debt or invest in a business, in case these are separate assets). See Appendix B (Table B17) for full details. Note that reimbursements owed by the community used to be called “contributions” (“reprises en deniers”, as opposed to the separate assets  $a_{ti}$  and  $a_{tj}$  used which were never sold, and which are sometime referred to as “reprises en nature”). Both types of reimbursements now tend to be called

$$e_{ti} = [a_{tij}^c - a_{ti}^R - a_{tj}^R]/2 + a_{ti}^S + a_{tj}^R \quad (4.2)$$

$$e_{tj} = [a_{tij}^c - a_{ti}^R - a_{tj}^R]/2 + a_{tj}^S + a_{ti}^R \quad (4.3)$$

By construction these corrections cancel each other and have no impact on total household wealth. I.e.  $e_{ti} + e_{tj} = w_{tij} = a_{tij}^c + a_{ti}^S + a_{tj}^S$ . But they can have a very strong impact on the shares of total wealth obtained by the surviving spouse, children and possibly other heirs. There is extensive evidence suggesting that reimbursement accounts have always been established very carefully by the tax administration, under the scrutiny of the various heirs.

Take for instance the case where the husband dies first. The estate  $e_{ti}$  is then divided between the surviving spouse, the children (if any), and possibly other heirs, in case the husband decided so in his will. The important practical point in most situations is that the surviving spouse usually gets a relatively small fraction of  $e_{ti}$ , while the children get the largest part, with equal division among them.<sup>20</sup> However the surviving spouse (here the wife) remains by definition the single owner of  $e_{tj}=w_{tij}-e_{ti}$ , irrespective of the share she gets in  $e_{tj}$ . In case the wife dies first, the same process applies in the reverse order (these property sharing rules have always been gender-neutral, ever since the 1804 Civil Code).<sup>21</sup>

"reimbursements" ("recompenses"). The exact wording used by the Civil Code has changed slightly over time, but the concepts and rules have remained the same since 1804.

<sup>20</sup> In most cases, no will is written, and the following default rules apply. Since the 2001 reform of the Civil Code (the main purpose of which was to better protect surviving spouses), the surviving spouse has the choice between the usufruct ("usufruit") of 100% of  $w_{it}$  or the full property of 25% of  $w_{it}$ ; the rest is divided equally between the decedent's children. But prior to the 2001 reform, in the absence of will, the surviving spouse was only getting the usufruct of 25% of  $w_{it}$ , and the rest was divided equally between the decedent's children (this rule was in place since 1804). Note also that children have always been strongly protected by the Civil Code: even with a will, the children share in  $w_{it}$  cannot be less than 50% with one child, 66% with two children, and 75% with three children or more; in addition, equal splitting must prevail within this so-called "reserve héréditaire" (only the remaining part can be allocated freely by will; this is the so-called "quotité disponible"). This basic rule has been unchanged since 1804. The 2001 reform simply created an extra rule to protect surviving spouses, which now must get at least 25% of  $w_{it}$  in the absence of children. Before 2001 decedents could choose by will to leave 0% of  $w_{it}$  to the surviving spouse, even in the absence of children. With children, it is still possible today to leave 0% of  $w_{it}$  to the surviving spouse if the decedent wishes to do so. The complete rules are fairly complex (e.g. it is only the 1970s that children born outside of marriage obtained the same rights as legitimate children); this is just a quick summary.

<sup>21</sup> This is not saying that the Civil Code at large has always been gender neutral. For instance, during most of the 19<sup>th</sup> century, married wives had limited legal rights to sell and purchase community assets (or contract community debts) on their own, i.e. without the husband's signature. Under some

**Example.** Mr and Mrs Martin are both aged 60-year-old, and married at age 20. At that time they owned nothing at all. Now they own a Paris apartment worth 500,000€ (net of outstanding mortgage liabilities), equity assets worth 100,000€, and mutual funds shares worth 300,000€. These assets were all purchased during their marriage. At age I=30, Mrs Martin inherited 400,000€ in life insurance assets from her parents, which she sold immediately. Mr Martin did not receive any inheritance from his parents. So we have  $w_{tj} = 900,000\text{€}$ ,  $a_{tj}^c = 900,000\text{€}$ ,  $a_{ti}^S = a_{tj}^S = a_{ti}^R = 0\text{€}$ , and  $a_{tj}^R = 400,000\text{€}$ .

In case Mr Martin dies first, then  $w_{ti}=a_{tj}^c/2+a_{ti}=250,000\text{€}$  is divided between Mrs Martin, children and other heirs, and Mrs Martin remains the single owner of  $w_{tj}=750,000\text{€}$ . When she dies, her wealth ( $w_{tj}$  plus the fraction of  $w_{ti}$  she received at her husband's death plus any other asset she acquired or received in the meantime) will be divided between children and other heirs.

In case Mrs Martin dies first, then  $w_{tj}=750,000\text{€}$  is divided between Mr Martin, children and other heirs, and Mr Martin remains the single owner of  $w_{ti}=250,000\text{€}$ . When he dies, his wealth ( $w_{ti}$  plus the fraction of  $w_{tj}$  he received at his wife's death plus any other wealth he acquired or received in the meantime) will be divided between children and other heirs.

The general principle behind this matrimonial regime is that the assets received by bequests or gifts always remain the separate property of the spouse who received them, but that the return to these assets – whether it takes the form of rent, interest, dividend, or any other asset income flow – automatically becomes the property of the community. This rule actually applies to all income flows, either derived from assets

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marriage contracts, these limited rights also applied to their separate property assets. Some asymmetries persisted well into the 20<sup>th</sup> century (e.g. married wives could not open bank accounts without the husband's signature until the 1970s). However the important point here is that in France these legal asymmetries between husbands and wives in control rights over assets during marriage did not entail asymmetries in formal property rights and sharing rules at the time of death or divorce.

or from labour or from any other source (lottery gains, social transfers, etc.).<sup>22</sup> This rule logically implies that any asset acquired during the marriage automatically falls into community property, whether or not it was explicitly acquired by both spouses acting together or by one of them acting alone (this also applies to liabilities). By construction, the “community of acquisitions” is built upon the presumption that any new acquisition of assets must have been financed by the income flows accruing to the community, and therefore falls into community property.

In particular, it is irrelevant from the Civil Code viewpoint whether the Martins purchased their Paris apartment by using the capital income derived from their assets (coming predominantly from Mrs Martin’s inherited assets), or by using their labor income (maybe coming predominantly from Mr Martin). The only important point is that it was purchased during the marriage, i.e. using the income flows accruing to the Martin family, and as such the apartment falls automatically into community property and belongs equally to both spouses. As far as we understand, these basic rules apply not only to France, but also to the many countries around the world using the “community of acquisitions” regime as the default matrimonial regime.<sup>23</sup> In France, and in other countries as well, these default rules of property sharing apply not only to wealth sharing at death, but also to wealth sharing after a (no-fault, mutual-consent) divorce.

Whether this is a “good” or “fair” or “efficient” regime or not (in a sense to be defined) is an interesting issue, on which we have nothing to say in this paper. What we like, however, is that this regime allows us to observe separately acquired assets and inherited assets. Note however that the “community of acquisitions” regime is simply the default matrimonial property regime in France, i.e. the regime applying in case no marriage contract is written. Married couples can also choose to write a marriage contract in order to organize their property relationship differently, with various regimes ranging from complete “separation of property” (in which case there is no

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<sup>22</sup> The only exception is capital gains. In effect, the French Civil Code does not treat capital gains as ordinary capital income and makes a sharp distinction between the first sale of inherited assets (in which case capital gains fall into separate property) and further portfolio reallocations (in which case capital gains fall into community property).

<sup>23</sup> See e.g. « World Map of Matrimonial Property Regimes », *Notarius International* 1-2 (2005).

community property asset at all: all inherited and acquired assets are separate property assets and belong either entirely to the husband or entirely to the wife) to “universal community of property” (in which case all assets fall automatically into community property, whether they were acquired during marriage or received through bequests or gifts). In both cases, we are unable to distinguish between inherited and acquired assets, so in effect we lose our data source. Fortunately for us, these alternative arrangements are relatively rare in France. Most married couples do not sign any marriage contract, and when they do they usually adopt the “community of acquisitions” regime. We find that in Paris during the 1872-1937 period, the fraction of married decedents who were married under the default regime was about 85%-90%, and that this fraction was approximately the same over all wealth fractiles.<sup>24</sup>

#### 4.3. Using estate tax data in order to estimate $G_t(w_{ti}, b_{ti}^*)$

Although the data reported on tax registers is very rich, it does suffer from several important limitations, which forces us to make a number of assumptions in order to estimate the joint distribution  $G_t(w_{ti}, b_{ti}^*)$  of current wealth and capitalized bequest among married decedents.

First, we only observe the data that is relevant for the estate division at stake. So for instance in case the husband  $i$  dies first, then we observe all variables necessary to compute the husband’s estate  $e_{ti} = [a_{tij}^c - a_{ti}^R - a_{tj}^R]/2 + a_{ti}^S + a_{ti}^R$ . We observe the full list of community assets  $a_{tij}^c$ , husband’s separate assets  $a_{ti}^S$  and community reimbursements owed to the husband and wife  $a_{ti}^R$  and  $a_{tj}^R$ . But we do not observe

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<sup>24</sup> See Appendix B, Table B15. We do not observe full marriage contract details for all married decedents. However the marriage contract information that we collected in tax registers for a subsample of decedents shows that “universal community” is almost never used, and that “separation of property” is the only significant alternative arrangement. Therefore we identify all married decedents with positive community assets as being married under the “community of acquisitions” regime, and we find that this fraction is approximately stable around 85%-90% for all years and all wealth fractiles, except at the level of the top 0,1%, where it goes down to about 50%-60%. In effect we are excluding married decedents who were married under the default regime but who did not accumulate any community asset. Also it is likely that married couples opting for the “separation of property” regime tend to have above average inherited assets (for given total assets). Therefore by focusing upon married decedents with positive community assets we are probably under-estimating somewhat the true inheritors shares in population and wealth.

the wife's separate assets  $a_{tj}^S$ , because at this stage they play no role from the tax administration viewpoint. Of course these assets will be reported to the administration when the wife dies, but this might happen in a long time, and this might not happen in Paris, so there is no way we can collect this information in a systematic and reliable manner. Moreover, when widows die, the distinction between community and separate assets is no longer relevant from a legal viewpoint (formally all assets are separate assets, in the same was as for single and divorced decedents), so that all assets tend to be mixed up in estate tax returns, and the information becomes unusable.<sup>25</sup> The bottom line is that we can never observe the separate assets  $a_{ti}^S$  and  $a_{tj}^S$  of both spouses at the same time. This is why we choose to define inheritors and savers at the individual rather than at the household level (see section 3 above).<sup>26</sup>

Next, we do not have systematic information about the dates at which inherited assets were received and sold. Consider a married man  $i$  deceasing in year  $t=1912$ .<sup>27</sup> We know the value of community assets  $a_{tij}^C$  and separate assets  $a_{ti}^S$  (as measured by their market value in year  $t=1912$ ), and the value of inherited assets  $a_{ti}^R$  and  $a_{tj}^R$  that  $t$  were sold during the marriage (as measured by their sales value). But generally we do not know the exact date  $t_i$  at which inherited assets  $a_{ti}^S$  and  $a_{tj}^R$  were received by individual  $i$ , and we do not know the exact date  $t_i^*$  at which inherited assets  $a_{ti}^R$  and  $a_{tj}^R$  were sold. We do observe for (almost) all married decedents their age at death  $D_{ti}$  and their age at marriage  $M_{ti}$  (e.g. in 1912 the average age at death is 57.2 and the average age at marriage is 29.1), but we have information on  $t_i$  and  $t_i^*$  only for a limited sub-sample.

We proceeded as follows. For  $t_i^*$ , the information we have shows that most asset sales tend to take place at the beginning of marriage, with an approximately uniform distribution during the first 10 years of marriage; so we simply draw such a uniform

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<sup>25</sup> About 15% of widow decedents have assets reported as community assets in their estate tax return (as compared to 85%-90% of married decedents). A small number of single and divorced decedents (less than 5%) also have assets reported as community assets. See Appendix B, Table B15. We did not attempt to use the community vs separate asset information available for non-married decedents.

<sup>26</sup> The fact that we observe the wife's reimbursements  $a_{tj}^R$  at the husband's death does however give us some (imperfect but interesting) information about assortative mating. See section 5 below.

<sup>27</sup> The same procedure is applied symmetrically to deceasing married men and women.

distribution for  $t_i^*$  centred around  $t_{Mi}+5$  (where  $t_{Mi}$  is year of marriage). For  $t_i$ , since most inherited assets come from parents, we simply need to estimate the distribution of year-of-death gaps between decedents and their parents; we do have very reliable demographic data showing the average age at parenthood (which we note  $H$ ) was extremely stable around 30 year-old (with a stable standard deviation around 5.5-6.5 years) during the 19<sup>th</sup> and 20<sup>th</sup> centuries;<sup>28</sup> so we simply draw a distribution for  $t_i$  centred around  $t-30$ .<sup>29</sup>

In effect, we are assuming that the idiosyncratic variations in  $t_i^*$  and  $t_i$  are uncorrelated with individual wealth; given that these variations mostly come from demographic shocks, this seems to be a plausible assumptions. We tried several alternative assumptions about the distributions of  $t_i^*$  and  $t_i$ , and found that this had relatively little impact on our final results.<sup>30</sup>

Once we have estimated  $t_i^*$  and  $t_i$ , it is relatively straightforward to compute capitalized bequest  $b_{ti}^*$  from available data. First, we convert reimbursement values into year  $t$  asset prices, which then allows us to compute the non-capitalized value  $b_{ti}^0$  of total bequests received by individual  $i$  during his lifetime (evaluated at asset prices prevailing in year  $t$ ):

$$a_{ti}^{R*} = a_{ti}^R \times Q_t^*/Q_{ti}^* \quad (4.4)$$

$$a_{tj}^{R*} = a_{tj}^R \times Q_t^*/Q_{tj}^* \quad (4.5)$$

$$b_{ti}^0 = a_{ti}^S + a_{ti}^{R*} \quad (4.6)$$

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<sup>28</sup> See Piketty (2010, Appendix C, Table C15).

<sup>29</sup> If year- $t$  decedents and their parents died at exactly the same age, then  $t-t_i$  would be exactly equal to  $H_i$  (where  $H_i$  is the age of the decedent's parents when the decedent was born), i.e. it would be equal to a distribution centred around  $H=30$  with standard deviation of about 5.5-6.5. However in general children and their parents do not die at the same age, which creates extra variations. In order to take this into account we assume that  $t-t_i$  is uniformly distributed over  $[H-10;H+10]$ . For a more complete attempt to estimate the age distribution of inheritance receipts (taking explicitly into account the fact that about 70% of inheritance flows go to children, 10% go to surviving spouses, and 20% go to other heirs – mostly nieces/nephews and brothers/sisters), see Piketty (2010, Appendix C).

<sup>30</sup> See Appendix B, Tables B20-B21 for the detailed results obtained under our benchmark assumptions and under the assumption of fixed gaps  $t_i^*-t_{Mi}=5$  and  $t-t_i=30$  (i.e. no idiosyncratic shock). As one can see, the results for the shares of inherited wealth in total wealth are extremely close under both sets of assumptions (inherited shares are somewhat larger under our benchmark case, because of the convexity of the capitalization effect).

With :  $Q_t^*$  = asset price index

Because inflation was very small prior to World War 1, this adjustment factor makes virtually no difference for years 1872-1912. But for years 1922-1937 it makes a big difference. In effect, many of the inherited assets  $a_{ti}^R$  reported in interwar tax registers were sold prior to World War 1, at much lower prices than those prevailing in the interwar period, so without the adjustment factor we would significantly underestimate the importance of these assets relatively to assets  $a_{ti}^C$  and  $a_{ti}^S$  (which in tax registers at valued at current prices).<sup>31</sup>

Next, we compute the capitalized value  $b_{ti}^*$ , making various assumptions about the rate of return  $r_t=r$  prevailing between  $t_i$  and  $t$  in the different subperiods:<sup>32</sup>

$$b_{ti}^* = b_{ti}^0 e^{r(t-t_i)} \quad (4.7)$$

Finally, we can apply our definition of inheritors and savers by comparing capitalized bequests  $b_{ti}^*$  to current individual wealth  $w_{ti}$ , which is given by:

$$w_{ti} = [a_{tij}^C - a_{ti}^{R*} - a_{tj}^{R*}] / 2 + a_{ti}^S + a_{ti}^{R*} \quad (4.8)$$

Note that this economic definition of individual wealth  $w_{ti}$  from the tax definition of the estate  $e_{ti}$ , again because of the price adjustment factor applied to reimbursement values, which may well not be symmetric between spouses.

#### 4.4. Inter vivos gifts and dowries

It is also important to properly take into account inter vivos gifts when we define inheritors and savers. That is, when we apply the equation  $w_{it} < b_{ti}^*$  defining inheritors, it is critical to include all past bequests and inter vivos gifts received by individual  $i$  when we compute the value of capitalized bequests  $b_{ti}^*$  (which we do, since separate

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<sup>31</sup> More details on the asset price indexes that we use are given in Appendix A. We return to this issue when we present the results in section 5 below.

<sup>32</sup> These various assumptions are discussed in section 5 below.

assets include assets received both through bequests and through gifts). For consistency purposes, it is also critical to add to  $w_{it}$  the capitalized value  $v_{it}^*$  of inter vivos gifts  $v_{it}^0$  made by individual  $i$  prior to time  $t$ .

Fortunately for us, the value of inter vivos gifts made by married decedents is reported in tax registers, again for estate division purposes. More precisely, at the time of death of the first deceasing spouse (say, the husband  $i$ ), we observe in tax registers both the value of dowries  $v_{ijt}^C$  which were paid out of community assets and the value of dowries  $v_{it}^S$  which were paid out of the decedent's separate assets. We do not observe the value of dowries  $v_{jt}^S$  which were paid out of the surviving spouse's separate assets, because this is not relevant for tax purposes (for the same reasons, we do not observe the surviving spouse's current separate assets  $a_{jt}^S$ , as was already noted).

Several points are worth emphasizing here. First, dowries do not include all inter vivos gifts. In the French legal context of the time, dowries ("dots") correspond to the inter vivos gifts made to the children at the time of marriage, through a marriage contract. Of course parents make gifts to their children at other times than marriage.

Next, the reason why dowries need to be reported at the time of death of the first deceasing parent is because this is necessary to ensure that the Civil Code principle of equal division between children has been properly applied. For the same reason, it is critical to know whether the dowries were paid out of the separate assets from the parents or out of community assets, because this affects the shares of the remaining assets going to the surviving spouse and going to the various children.

In principle, for these same reasons, all inter vivos gifts – and not only dowries – should be reported in estate tax returns. However for reasons we do not fully understand yet, the tax registers do not seem to mention gifts other than dowries. Given that dowries (and probably most gifts to children) come mostly from separate assets, this implies that by underestimating the overall importance of gifts we are probably underestimating somewhat the overall importance of inherited assets.

Luckily for us, the tabulations compiled and published by the tax administration of the time show that dowries made as much as 76% of the total value of inter vivos gifts in Paris in the late 19<sup>th</sup> century and early 20<sup>th</sup> century.<sup>33</sup>

For the purpose of estate division, the tax administration was using the following formula in order to compute the gift-corrected value of the decedent's estate  $e_{ti}$ :

$$e_{ti} = [a_{tij}^C + v_{ijt}^C - a_{ti}^R - a_{tj}^R]/2 + a_{ti}^S + v_{it}^S + a_{ti}^R \quad (4.9)$$

However, in the same way as reimbursement values  $a_{ti}^R$  and  $a_{tj}^R$ , the value of dowries  $v_{ijt}^C$  and  $v_{it}^S$  reported in tax registers is expressed in prices prevailing at the time the dowry was made. So we need again to correct for this. We note  $t_i^{**}$  the time at which dowries were given to children. We draw a distribution for  $t_i^{**}$  on the basis of the decedent's age at death  $D_{it}$  (see above), and we convert dowries values into year t asset prices:

$$v_{tij}^{C*} = v_{tij}^C \times Q_t^*/Q_{t_i^{**}}^* \quad (4.10)$$

$$v_{ti}^{S*} = v_{ti}^S \times Q_t^*/Q_{t_i^{**}}^* \quad (4.11)$$

We then compute the non-capitalized value  $b_{ti}^0$  of total bequests received by individual i during his lifetime (evaluated at asset prices prevailing in year t), and the capitalized value of those bequests:

$$b_{ti}^0 = a_{ti}^S + a_{ti}^{R*} + v_{ti}^{S*} \quad (4.12)$$

$$b_{ti}^* = b_{ti}^0 e^{r(t-t_i)} \quad (4.13)$$

Finally, when computing gift-corrected individual wealth  $w_{ti}$ , it is conceptually important to use the capitalized value of dowries  $v_{tij}^{C**}$  and  $v_{ti}^{S**}$  (including the cumulated return between year  $t_i^{**}$  and year t), rather than simply their current price value  $v_{tij}^{C*}$  and  $v_{ti}^{S*}$ :

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<sup>33</sup> See Bulletin de statistique et de législation comparée (BSLC), 1899.

$$v_{tij}^{C**} = v_{tij}^{C*} e^{r(t-t_i**)} \quad (4.14)$$

$$v_{ti}^{S**} = v_{ti}^{S*} e^{r(t-t_i**)} \quad (4.15)$$

$$w_{ti} = [a_{tij}^c + v_{tij}^{C**} - a_{ti}^{R*} - a_{tj}^{R*}] / 2 + a_{ti}^s + a_{ti}^{R*} + v_{ti}^{S**} \quad (4.16)$$

In effect, gift-corrected individual wealth  $w_{ti}$  is equal to the wealth that decedent  $i$  would have had at death had he not made any gift to his children, and had he chosen not to consume any of the return to the corresponding assets (which indeed he did not consume, since the gift was made).<sup>34</sup> So  $w_{ti}$ , as defined by equation (4.16), is the relevant wealth concept that ought to be compared to  $b_{ti}^*$ , as defined by equation (4.13), in order to determine whether individual  $i$  is an inheritor or a saver (i.e. whether he consumed more or less than his labor income during his lifetime), and in order to apply our definitions of inheritors and inherited wealth shares  $\rho_t$ ,  $\pi_t$  and  $\varphi_t$  (see section 3 above). All results presented below were obtained by applying these equations to the raw data coming from tax registers.<sup>35</sup>

## 5. Paris 1872-1937: a rentier society

### 5.1. Basic descriptive statistics

The basic characteristics of our data set are described on Table 2. The population of Paris rose sharply between 1872 and 1912 (and then stabilized), and so did the annual number of decedents: about 25,000 decedents in 1872, over 35,000 decedents in 1912, and around 30,000-35,000 decedents per year in 1922-1937. The way the local estate tax administration works is that they start from the complete list of decedents (given by *état-civil*), and they make sure that the successors of all

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<sup>34</sup> Note that in a small number of cases there are dowries which were promised but not given to the children (either because the marriage contract planned family affairs in this way, or whatever other reason). However this appears to be a very small fraction of cases, so we do not make any special correction for this. In any case, note that since most dowries were made relatively shortly before death (see above), this dowry capitalisation effect is bound to be relatively small.

<sup>35</sup> Note that our individual wealth concept  $w_{ti}$  (as defined by equation (4.16)) differs from the legal concept of individual estate  $e_{ti}$  (as defined by equation (4.9)) for two different reasons: first because we upgrade reimbursements and dowries in order to take into account asset price inflation (this plays essentially no prior before World War 1); next because of the dowries capitalisation effect (this effect is quantitatively limited but is conceptually present throughout the 1872-1937 period).

decedents with positive net wealth (market value of all assets, minus liabilities) file an estate tax return. It is possible that there was some tolerance for very poor decedents who only owned modest furnitures – though we do find such returns. But it is hard to imagine how decedents with any piece of real estate asset or financial asset (even a modest savings account) could go undetected – and it was actually in the interest of successors to register as the new legal owner of this piece of property. The first basic fact about Paris 1872-1937 is most people die with no wealth at all. The fraction of decedents with positive wealth was only 28% in 1872-1912 (at a time when it was about 50% for the all of France). It then rose during the interwar period and reached 38%-42% in 1932-1937.

#### Insert Table 2: Inheritance in Paris 1872-1937: Descriptive statistics

The second basic fact is that although there were more poor people in Paris than in the rest of France, there were also a lot more rich people. Average wealth at death in Paris (including decedents with zero wealth) was actually much larger than in the rest of France in 1872-1937 – about 4-5 times larger. As a consequence, with a population share a little above 5%, the Parisians owned as much as 25% of aggregate wealth in France at that time (see Figure 2).

#### Insert Figure 2: Paris share in France, 1872-1937

In 1912, the average estate left by Parisians decedents with wealth was over 130,000 francs. In 1872, it was over 85,000 francs. The average estate left by the top 10% decedents was about 370,000 francs in 1912; for the top 1%, it was 2,4 millions francs. To put these numbers of perspective, note average national income per adult  $y_t$  was about 1,500 francs in 1912, and that average labor income per adult  $y_{Lt}$  was about 1,000 francs (with a labor share  $1-\alpha_t$  around 65%). With a rate of return  $r=4\%$ , an estate of 2.4 millions francs generates an annual income of about 100,000 francs

in rent, interest and dividend, i.e. the equivalent of 100 times the average labor income of the time.<sup>36</sup>

The level of wealth concentration at Paris in 1872-1937 at that time was extremely high, and as a first approximation relatively stable. The top 1% share in aggregate wealth rose from 52% in 1872 to 63% in 1912, started declining in the aftermath of World War 1, and returned to 52% in 1937 (see Figure 3). One needs to wait until World War 2 and the 1950s to observe more significant decline in wealth concentration (with top 1% shares around 30%-40%).<sup>37</sup>

### Insert Figure 3: Wealth Concentration in Paris 1872-1937

Note however we do observe a gradual but significant “rise of the middle class” in the interwar period: the wealth share of the middle class (the middle 40%) was as little as 3%-4% in 1872-1912, and rose to as much as 9% in 1937. This is certainly a modest change (even in 1937 the upper class – the top 10% - owns over 90% of aggregate wealth). But if one considers that in today’s United States the middle class owns about 26% of total wealth (see Table 1 above), this is not negligible (this is about a third of the way).

Note also that the very large movements in relative prices that occurred in the aftermath of World War 1 did not affect too much the distribution of wealth – at least as first approximation. In 1872-1912, there was virtually no inflation, and wealth accumulation was proceeding smoothly, approximately at the same pace as national income (with growth rates around 1% per year). But then consumer prices were multiplied by almost 6 between 1914 and the late 1920s, and asset prices (both real estate and stock market prices) were multiplied by less than 3 (see Table 3). Expressed in constant consumer prices, the estates of the interwar period would look

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<sup>36</sup> For background data on the national income and wealth accounts of France and Paris at that time, see Appendix A.

<sup>37</sup> See Piketty, Postel-Vinay and Rosenthal (2006).

over twice as small as 1912 estates. But expressed in constant asset prices, they look just 20%-30% smaller (or comparable).<sup>38</sup>

Insert Table 3: Average estate vs price indexes in Paris, 1872-1937

## 5.2. Asset composition and portfolios

One of the most striking characteristic of Parisian wealth in 1872-1937 is the very high degree of asset portfolio diversification and sophistication. The share of real estate assets in total gross assets was about one third (including about 20% in Parisian real estate and 10% in out-of-Paris real estate), while the share of financial assets was about two thirds. Most importantly, one can see on Table 4 that Parisians wealth holders hold very diversified financial portfolios. In 1912, out of the 62% of total gross assets held in financial assets, they had 20% in equity, 18% in private bonds, 14% in government bonds, and 9% in other financial assets.<sup>39</sup> In each of these categories, the share of foreign financial assets is large and rises very fast until World War 1: foreign financial assets made 20% of the total assets of the Parisians in 1912 (as much as Paris real estate assets), vs 7% in 1872. Foreign assets fall during World War 1 (default on Russian bonds, etc.), but less than we expected, which might reflect the fact that these were more diversified than one usually believes. One can also see a shift towards equity a relative decline of bonds during the interwar period, which probably reflect the fact that bond values and the bond market were severely damaged by over ten years of high inflation.

Insert Table 4: Asset composition in Paris 1872-1937

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<sup>38</sup> Note that this 20%-30% figure is roughly equal to the share of aggregate assets that suffered from physical destruction and expropriation (e.g. Russian bonds) during World War 1 in France. According to the best available national accounts estimates, destruction and expropriation accounts for the about one third of the aggregate fall of the French private wealth-national income ratio between 1913 and the 1920s, while the other two thirds come from the fall in the relative price of assets (itself being due to a number of factors including of course nominal rigidities in the price of certain assets, rent control policies, higher taxes on profits and top incomes, political instability and others). See Piketty (2010).

<sup>39</sup> Checking accounts, cash, current income including pensions, etc. For detailed results with more asset categories, see Appendix B.

Given that the upper class (top 10%) owns over 90% of total assets throughout the 1872-1937 period, the aggregate asset composition reported on Table 4 mostly reflect the portfolios of the upper class. The top 1% and the next 9% appear to have very similar asset composition (except that the former holds somewhat more foreign assets: 24% vs 14% in 1912). There are more marked differences if one looks at the portfolio held by the middle class (middle 40%). E.g. while the upper class (and the aggregate) holds two thirds of its real estate in Paris, most of middle class real estate assets outside of Paris. Also, while the upper class holds less than 5% of its wealth in furnitures, the middle class it is a little bit above 10%. But by and large middle class portfolios also display a very high degree of asset diversification, with a real estate vs financial assets break down around 1/3-2/3, and very balanced financial portfolios across equity, private bonds, public bonds and other assets.<sup>40</sup> As compared to enormous differences in total wealth levels across groups, differences in portfolio composition look relatively small.

### 5.3. Inherited assets and portfolio reallocations during marriage

If we now turn to married decedents and compare community assets with inherited assets, we find again very diversified portfolios. It is not too surprising that inherited assets contain the same diversified mix of real estate, equity, private and public bonds as total assets, since inherited assets are by definition the same as total assets left by the previous generation. Note however that there is one significant difference between both portfolio structures: inherited assets contain more real estate (both from Paris and out of Paris) than community assets (see Tables 5 and 6). This could be partly explained the fact that the overall share of real estate has declined over time, since inherited assets were received a long time before death (about 30 years on average), so they should be representative of total assets 30 years before.

Insert Table 5: Community asset composition in Paris 1872-1937

Insert Table 6: Inherited asset composition in Paris 1872-1937

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<sup>40</sup> See Appendix B, Table B11.

Note also that the inherited asset composition depicted on Table 6 is by definition restricted to the assets inherited by married decedents and which were not sold or given during the marriage. I.e. these are the assets  $a_{ti}^S$  (using the notations introduced in section 4 above). Regarding the inherited assets which were sold or given during marriage, we only know the corresponding reimbursement and dowry values, but we do know which kind of assets they were. It could well be that the higher real estate share found on Table 6 simply reflects the fact (at least partly) that real estate inherited assets were less often sold or given during marriage than financial assets.

More generally, one interesting finding for our purposes is that married couples sell and give a very substantial fraction of their inherited assets during their marriage – between one third and one half according to our computations on the tax registers. On Figure 4 we report both the share of currently owned inherited assets in total assets (i.e. the fraction  $a_{ti}^S/(a_{tj}^C/2+a_{ti}^S)$ ), and the share of total inherited assets (including those sold or given, as measured by corrected reimbursement and dowry values) in total assets (i.e. the fraction  $b_{ti}^0/w_{ti}$ , as defined by equations (4.12) and (4.16) above).

Insert Figure 4: Portfolio reallocations during marriage

As one can see, currently owned inherited assets typically make about 25%-40% of total assets, with a peak at 44% in 1912. That is, the vast majority of assets owned by married couples at the death of first deceasing spouse are community assets, i.e. were acquired during marriage. But the point is that many of these assets were acquired simply by selling some of the inherited assets. Once this is taken into account, we find that inherited assets make as much as 50%-60% of total assets (see Figure 6). In other words, it is critical to take into account the portfolio

reallocations going on during marriage when estimating the role of inheritance in aggregate wealth accumulation.<sup>41</sup>

Note that at this stage we did not take into account the return to inherited assets, i.e. both inherited assets shares reported on Figure 4 measured the share of uncapitalized inheritance. The fraction  $b_{ti}^0/w_{ti}$  simply corresponds to the Modigliani definition  $\phi_t^M$  of the inheritance share in aggregate wealth accumulation (see section 3 above). Now, it is clear that with an uncapitalized inheritance share as large as 50%-60%, then the capitalized inheritance share  $\phi_t^{KS} = b_{ti}^*/w_{ti}$  defined by Kotlikoff-Summers is bound to be larger than 100%. With a modest rate of return  $r=3\%$ , the capitalized inheritance share  $\phi_t^{KS}$  appears to be about 120%-150% throughout the 1872-1937 period. With a more realistic rate of return  $r=5\%$ , it is around 200-250% (see Figure 5). Note that the exact number depends a lot on the rate of return. As we argued in section 3 above, the Kotlikoff-Summers definition is conceptually more consistent than the Modigliani definition, but neither of them is really satisfactory.

Insert Figure 5: Uncapitalized vs capitalized inheritance share in aggregate wealth accumulation (standard definitions)

Another interesting finding regarding portfolio reallocations during marriage is that they appear to be relatively symmetric between husbands and wives. That is, if we consider all married decedents, and also if we break down married decedents by wealth fractiles, we find that reimbursement and dowry values are approximately the same on the husband side and on the wife side.<sup>42</sup> Given that the overall share of inherited assets in total assets is also gender neutral (i.e. it is almost identical when husbands die first and when wives die first), both at the aggregate level and in all wealth fractiles, this suggests two things. First, on average husbands and wives bring

<sup>41</sup> Note that the fraction of inherited assets sold or given during marriage is about 45% in 1872 and 50% in 1922-1937, but appears to be significantly lower in 1912 (about 25%). This could reflect the fact that wealth holders are particularly prosperous in 1912 and faced less of need to sell some of their spouse's assets. Conversely the very fraction observed in the interwar (and particularly in the 1920s) could reflect the impact of shocks. We return to this issue below.

<sup>42</sup> With the possible exception of the 1920s, where wife's inherited assets appear to be sold and given more often than husband's inherited assets. However this is marginally significant, and holds only in married couples where the husband dies first (when the wife dies first, symmetry prevails again). For detailed results, see Appendix B, Table B16.

about as much inherited assets to the marriage. This is not surprising, given that French inheritance laws since the Revolution have been gender neutral. Next, this suggests that the ability and willingness of each spouse to convince the other spouse to sell off (or give to children) his or her inherited assets have also been relatively symmetric over this time period. This was less obvious, given the legal asymmetries in control rights over assets, and in particular the limited rights of married wives to sell and purchase assets on their own.<sup>43</sup> Unfortunately, as was already stressed in section 3, we cannot go much further with our data set. In particular we cannot precisely estimate the degree of assortative mating (which seems to be very high), because we do not observe the unsold inherited assets of the surviving spouse.<sup>44</sup>

#### 5.4. Rentiers vs self-made men: aggregate results

We now come to our main results on inherited vs self-made wealth. We first computed the fraction of rentiers (inheritors) in total population for  $\rho_t$ , the rentiers share in aggregate wealth  $\pi_t$  and, and the total share of inherited wealth  $\varphi_t$  (including the inherited fraction of non-rentiers' wealth). These aggregate indicators were computed with a rate of return  $r=5\%$  and are plotted on Figure 6.

Insert Figure 6: Rentiers in Paris, 1872-1937

We first find that the fraction of rentiers in total population  $\rho_t$  was relatively stable around 10% throughout the period. That is, about 10% of the Parisian population at that time had wealth  $w_{ti}$  below the capitalized value of their inherited assets  $b_{ti}^*$ , i.e. consumed more than their labor income during their lifetime. Although this is obviously a minority of the population, this is a relatively large minority. Also note that this is the fraction of rentiers in total population, including the approximately two thirds of the population who have zero (or near zero) wealth at that time. The fraction

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<sup>43</sup> See section 4 above.

<sup>44</sup> The fact that the symmetry in asset sales holds in all wealth fractiles, and that we also observe very high individual-level correlation between husbands' and wives' asset sales, certainly suggests a very high degree of assortative mating. But the individual-level correlation between sales is bound to be a lower bound estimate of assortative mating, since there are all sorts of idiosyncratic shocks explaining individual level propensity to sell or give inherited assets. We plan to further explore these interesting issues in the future.

of rentiers within the approximately one third of the population holding wealth was actually as large as 30% throughout the 1872-1937 period.<sup>45</sup> In other words, rentiers were a very significant social group at that time, not just a few dozens people.

Next, and most importantly, we find that rentiers alone owned about 60%-70% of aggregate wealth  $\pi_t$  in Paris throughout the 1872-1937 period. There is clear evidence that the rentiers wealth share was rising between 1872 and 1912, and then declining in the interwar period. But the main fact if we look at the 1872-1937 period as a whole is that the rentiers share was very high, and relatively stable.

Finally, when we add non-rentiers inherited wealth, we find that the total share of inherited wealth in aggregate wealth  $\phi_t$  was about 70%-80% in Paris over the 1872-1937 period (again with a statistically significant but quantitatively modest decline during the interwar period).

The fact that  $\phi_t$  was not that much larger than  $\pi_t$  is interesting per se and is highly informative about the dualistic nature of the wealth accumulation process.

For instance, if  $\pi_t=60\%$  and  $\phi_t=70\%$ , then by definition this means that non-rentiers own 40% of aggregate wealth, but out of these 40% only 10% correspond to the capitalized inherited wealth of non-rentiers. In other words, the (capitalized bequest)/wealth ratio  $b_{ti}^*/w_{ti}$  for non-rentiers is only 25%: non-rentiers got only a quarter of their wealth through inheritance, while three quarters come from their own accumulation. What this means is that non-rentiers are very different from rentiers: they really are savers (or “self-made men”), i.e. individuals who accumulated most of their wealth through their labor income. Even in 1912, i.e. at the peak of the rentier society, when  $\pi_t=70\%$  and  $\phi_t=80\%$ , non-rentiers got only about a third of their wealth through inheritance. Over the entire 1872-1937 period, we find that the average ratio  $b_{ti}^*/w_{ti}$  was relatively stable around 25%-30% for non-rentiers, and around 300%-400% for

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<sup>45</sup> It was actually as large as 30%-35% in 1872-1922, and then declined to about 25%-30% in 1927-1937. But because the fraction of wealth holders in total population increased in the interwar, the fraction of rentiers in total population was pretty stable around 10% throughout the 1872-1937 period, with no trend. See Appendix B, Table B18.

rentiers.<sup>46</sup> That is, while savers were accumulating three or four times more wealth than what they were receiving from their parents, rentiers on the contrary ended with wealth three or four times smaller than the capitalized bequest they received from the previous generation (i.e. they were consuming two thirds or three quarters of the capitalized value of their inherited wealth).

What this shows that there were really two very different kinds of wealth accumulation patterns going on at the same time in Paris at that time (and presumably in every society, of course with varying proportions), and that it important to distinguish between these two patterns and groups of people. If we mix up everybody into a representative agent model and ignore this heterogeneity, there is little chance that we properly understand the overall process of wealth accumulation.

#### 5.4. Rentiers vs self-made men: results by wealth fractile

In order to further explore this issue, we then computed the population shares of rentiers  $\rho_t(w)$ , the wealth shares of rentiers  $\pi_t(w)$ , and the total shares of inherited wealth  $\phi_t(w)$ , for all wealth fractiles  $w$ . In principle, for given aggregate shares  $\rho_t$ ,  $\pi_t$  and  $\phi_t$ , one could expect any wealth pattern. E.g. to the extent that entrepreneurship play an important role for building large fortunes, one could expect rentiers and inheritance shares to decline at the top of the wealth hierarchy. However this is not what we find. Throughout the 1872-1937 period, we find that the wealth profiles of rentiers shares and inheritance shares  $\rho_t(w)$ ,  $\pi_t(w)$  and  $\phi_t(w)$  are strongly upward sloping. We report the results obtain for 1912 on Figure 7.<sup>47</sup>

Insert Figure 7: Paris 1912: a Rentier Society

The magnitude of the results is spectacular. In 1912, the rentiers made only 25% of the middle class (wealth fractile P50-90), but about 50% of the “middle rich” (P90-99), and over 70% of the “very rich” (P99-100). Since rentiers tend to have somewhat bigger average wealth than non-rentiers in each wealth fractiles, the wealth shares

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<sup>46</sup> See Appendix B, Table B18.

<sup>47</sup> The profiles obtained for other years have a similar shape. See Appendix B, Table B18.

$\pi_t(w)$  are somewhat larger than  $\rho_t(w)$ . They range from almost 40% for the middle class, 60% for the middle rich, and over 75% for the very rich. If we now add the inherited wealth of non-rentiers, we find that total inheritance shares  $\varphi_t(w)$  are again a bit higher, and range from over 40% for the middle class to 70% for the middle rich and over 80% for the very rich.

It is worth noting that within each wealth fractile, including at very top, there exists a sizeable fraction of savers, and a large heterogeneity between two groups of people, the savers and the rentiers. This is demonstrated by the fact that the  $\varphi_t(w)$  shares are only a bit higher than the  $\pi_t(w)$  shares (see Figure 7). For instance, even within the top 1%, we do find about 25%-30% of savers, i.e. of individuals who started off in life with very little wealth, and who nevertheless managed to make their way to the top. We might call these people “entrepreneurs”. They started off with relatively little in life, in the sense that the average (capitalized bequest)/ wealth ratio  $b_{ti}^*/w_{ti}$  for the savers within the top 1% was about 30% in 1912 (and in other years). This is higher than what we find for middle class savers (for whom the corresponding ratios are generally less than 10%), but this still means that 70% of their wealth was self-made.<sup>48</sup> If we compute the  $b_{ti}^*/w_{ti}$  ratios for the rentiers of the top 1%, then we again find ratios of about 300%-400%.

### 5.5. Robustness of the findings with respect to the rate of return

All estimates presented so far were obtained by assuming a fixed rate of return  $r=5\%$ . In view of the existing evidence and data sources, this is the best estimate one can come with for the average annual rate of return on private wealth in France at that time (if anything it might be a bit too low).<sup>49</sup>

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<sup>48</sup> See Appendix B, Table B18. Note however that our individual level definitions rely on the assumption of perfect assortative mating (see section 3 above). It could well be a substantial fraction of this group started off with very little wealth, but married with someone with large inherited wealth. We plan to further investigate this in future research.

<sup>49</sup> In particular, during the 1872-1912 period, and more generally during the entire 1820-1913 period, the estimated capital share  $\alpha_t$  was about 35%-40% of national income (or even higher), while the aggregate private wealth-national income ratio  $\beta_t$  was about 600%-700%, i.e. the average rate of return  $r_t=\alpha_t/\beta_t$  was about 5%-6% (or even higher). During the chaotic 1912-1937 period, rates of return vary of course a lot across assets and over sub-periods (even more than in the previous period). But because asset values were low, average rates of returns were actually larger than 5%. See Appendix

However it is important to stress that our main results do not rely too much on the exact rate of return. For instance, if we take  $r=3\%$  (which is clearly far too small), rather than  $r=5\%$ , and re-do all the computations, then we find very similar results (see Figure 8). For instance, the population shares of rentiers  $\rho_t$  still appears to be stable around 10% of total population throughout the 1872-1937 period, and the total inheritance shares in aggregate wealth  $\varphi_t$  are reduced by only 5 percentage points. This contrasts sharply with the enormous impact of the rate of return on the representative-agent definitions. Using the very same data, we found that moving from  $r=3\%$  to  $r=5\%$  make the capitalized bequest share in aggregate wealth accumulation  $\varphi_t^{KS}$  (Kotlikoff-Summers definition) go from 120%-150% to over 200%-250% (see Figure 5 above).

Why is it that the rate of return has such a limited impact on our individual-level definitions? We already gave the answer. The reason is because the two groups that we have identified – the rentiers and the savers – are very different from one another: at all wealth levels, the rentiers are real rentiers, and the savers are real savers. Because the rentiers as a group have capitalized bequests that far exceed the value of their wealth (with ratio  $b_{ti}^*/w_{ti}$  as large as 300%-400%), reducing the rate of return from  $r=5\%$  to  $r=3\%$  is not going to affect too much the fact that they are rentiers. Of course this is going to have a strong impact on their living standards. But not on our definitions of rentiers shares in population and wealth (since they were already consuming most of their capitalized bequest anyway). In the same way, because the savers as the group have relatively small capitalized bequests as compared to their wealth (with ratio  $b_{ti}^*/w_{ti}$  as small as 20%-30%), reducing the rate of return from  $r=5\%$  to  $r=3\%$  has a limited impact on whom we classify as savers or rentiers.

We view this result as strong evidence in favour of our non-representative-agent approach to the study of wealth accumulation.

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A for basic French national income and wealth accounts data over this period. See Piketty (2010) for detailed data and analysis of these issues.

## 5.6. Recovering savings behaviour from observed age wealth patterns

TO BE COMPLETED

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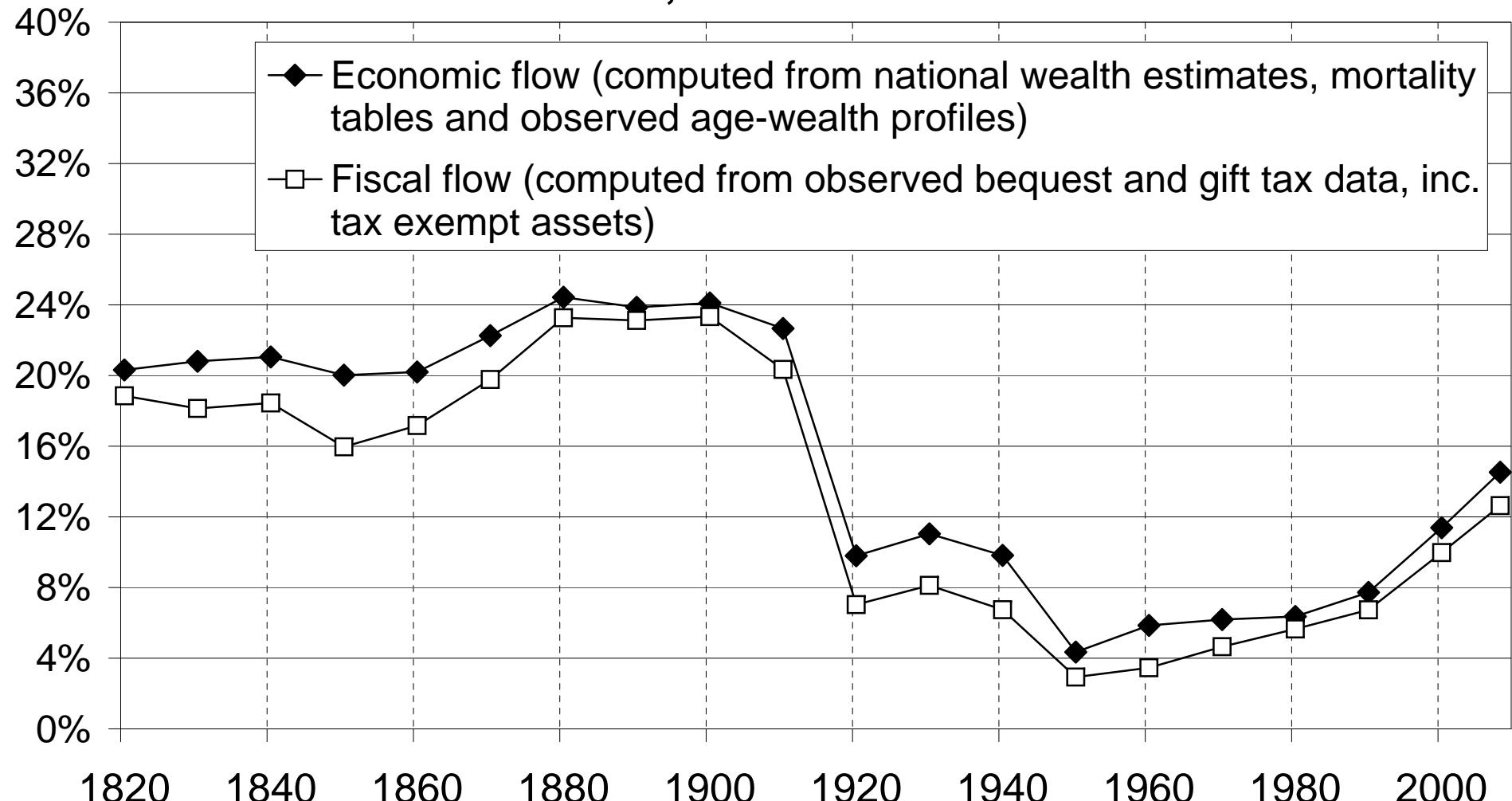
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**Table 1: Wealth inequality, Paris 1912 vs U.S. 2007**

	<b>Paris 1912</b>	<b>U.S. 2007</b>
<b>Top 10%</b> "Upper Class"	96% <b>1 920 000 €</b>	72% <b>1 440 000 €</b>
<i>incl. Top 1%</i> "Very Rich"	63% <b>12 600 000 €</b>	34% <b>6 800 000 €</b>
<i>incl. Other 9%</i> "Middle Rich"	33% <b>733 333 €</b>	38% <b>844 444 €</b>
<b>Middle 40%</b> "Middle Class"	3% <b>15 000 €</b>	26% <b>130 000 €</b>
<b>Bottom 50%</b> "Poor"	1% <b>4 000 €</b>	2% <b>8 000 €</b>
Share in total wealth <i>Average per adult wealth</i>	100% <b>200 000 €</b>	100% <b>200 000 €</b>

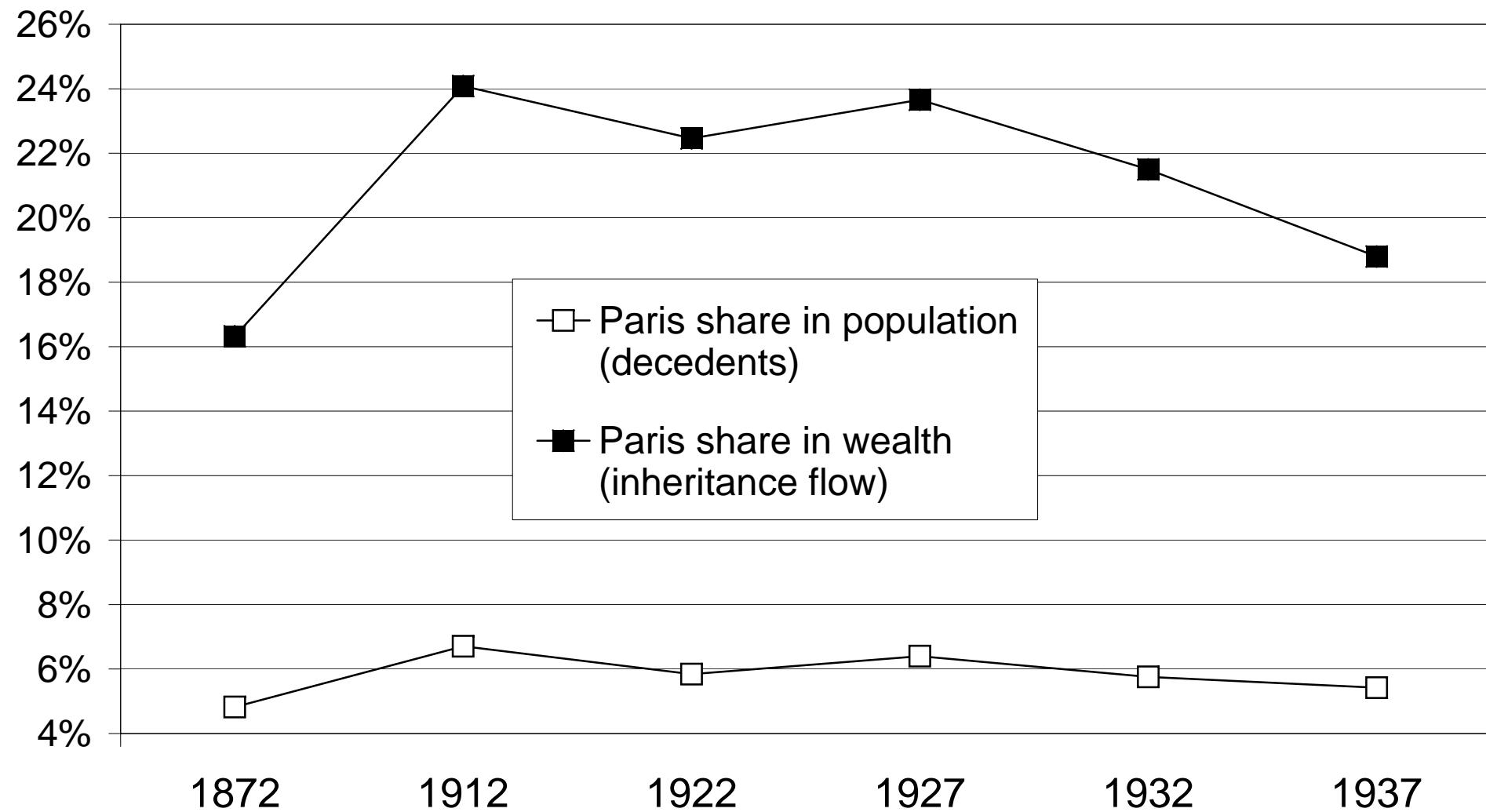
**Figure 1: Annual inheritance flow as a fraction of national income, France 1820-2008**



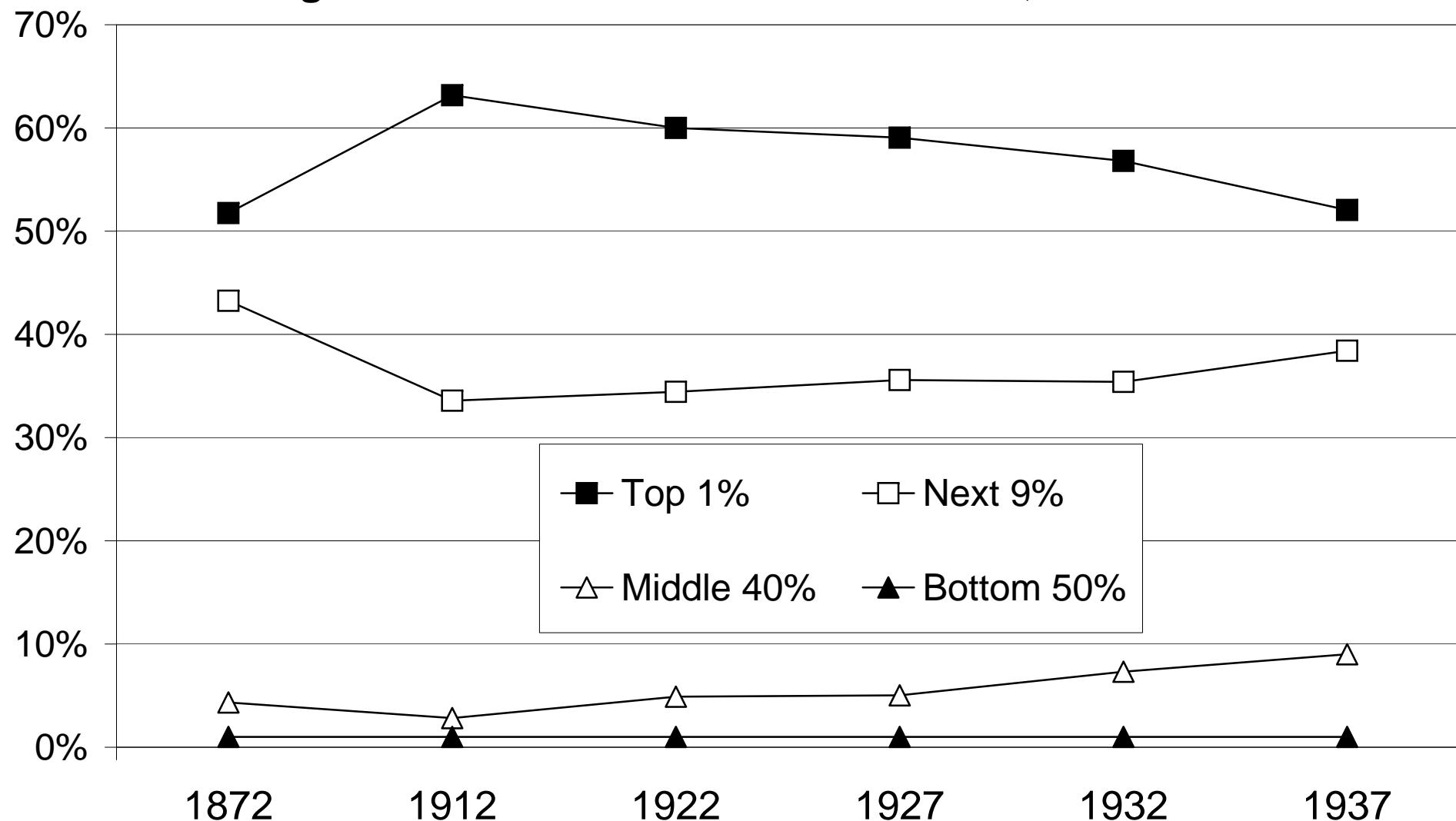
**Table 2: Inheritance in Paris, 1872-1937 - Summary Statistics**

	N. decedents (20-yr +)	N. decedents with estate>0	% decedents with estate>0	Average estate (estate>0) (current francs)	Average estate (all decedents)
1872	24 280	6 918	28%	85 925	24 481
1912	36 520	10 217	28%	133 547	37 362
1922	33 300	10 791	32%	166 265	53 877
1927	35 842	11 204	31%	256 435	80 160
1932	31 725	12 017	38%	272 377	103 176
1937	30 274	12 790	42%	219 343	92 666

**Figure 2: Paris share in France, 1872-1937**



**Figure 3: Wealth concentration in Paris, 1872-1937**



**Table 3: Average estate vs price indexes in Paris 1872-1937**

	Average estate (estate>0)	Average estate (all deced.)	Consume r price index	Asset price index	Average estate (estate>0)	Average estate (all deced.)
	(relative to asset price index)					
1872	64	66	97	100	64	66
1912	100	100	100	100	100	100
1922	124	144	312	203	61	71
1927	192	215	574	273	70	79
1932	204	276	537	229	89	121
1937	164	248	616	242	68	102

**Table 4: Asset composition in Paris 1872-1937**

(% gross assets)	Real estate assets	Financial assets	inc. Equity	inc. Private bonds	inc. Govt bonds	inc. Other, cash,..	Total foreign financial assets	Furnitures
1872	<b>34%</b>	<b>64%</b>	17%	21%	15%	10%	7%	<b>3%</b>
1912	<b>36%</b>	<b>62%</b>	20%	18%	14%	9%	20%	<b>3%</b>
1922	<b>27%</b>	<b>69%</b>	25%	13%	19%	11%	15%	<b>4%</b>
1927	<b>23%</b>	<b>71%</b>	37%	10%	13%	11%	20%	<b>6%</b>
1932	<b>27%</b>	<b>66%</b>	30%	11%	14%	11%	11%	<b>7%</b>
1937	<b>25%</b>	<b>69%</b>	35%	10%	11%	12%	22%	<b>7%</b>

Note: Out-of-Paris real estate assets are missing in 1872; in 1912-1937, they make about 1/3 of real estate assets

**Table 5: Community asset composition in Paris 1872-1937**

(% gross assets)	Real estate assets	Financial assets	inc. Equity	inc. Private bonds	inc. Govt bonds	inc. Other, cash,..	Total foreign financial assets	Furnitures
1872	<b>34%</b>	<b>63%</b>	20%	20%	11%	12%	5%	<b>3%</b>
1912	<b>29%</b>	<b>68%</b>	27%	17%	14%	11%	21%	<b>3%</b>
1922	<b>17%</b>	<b>78%</b>	30%	14%	22%	12%	13%	<b>5%</b>
1927	<b>12%</b>	<b>81%</b>	46%	10%	13%	12%	24%	<b>7%</b>
1932	<b>16%</b>	<b>77%</b>	35%	12%	15%	15%	11%	<b>8%</b>
1937	<b>15%</b>	<b>76%</b>	42%	11%	11%	12%	20%	<b>9%</b>

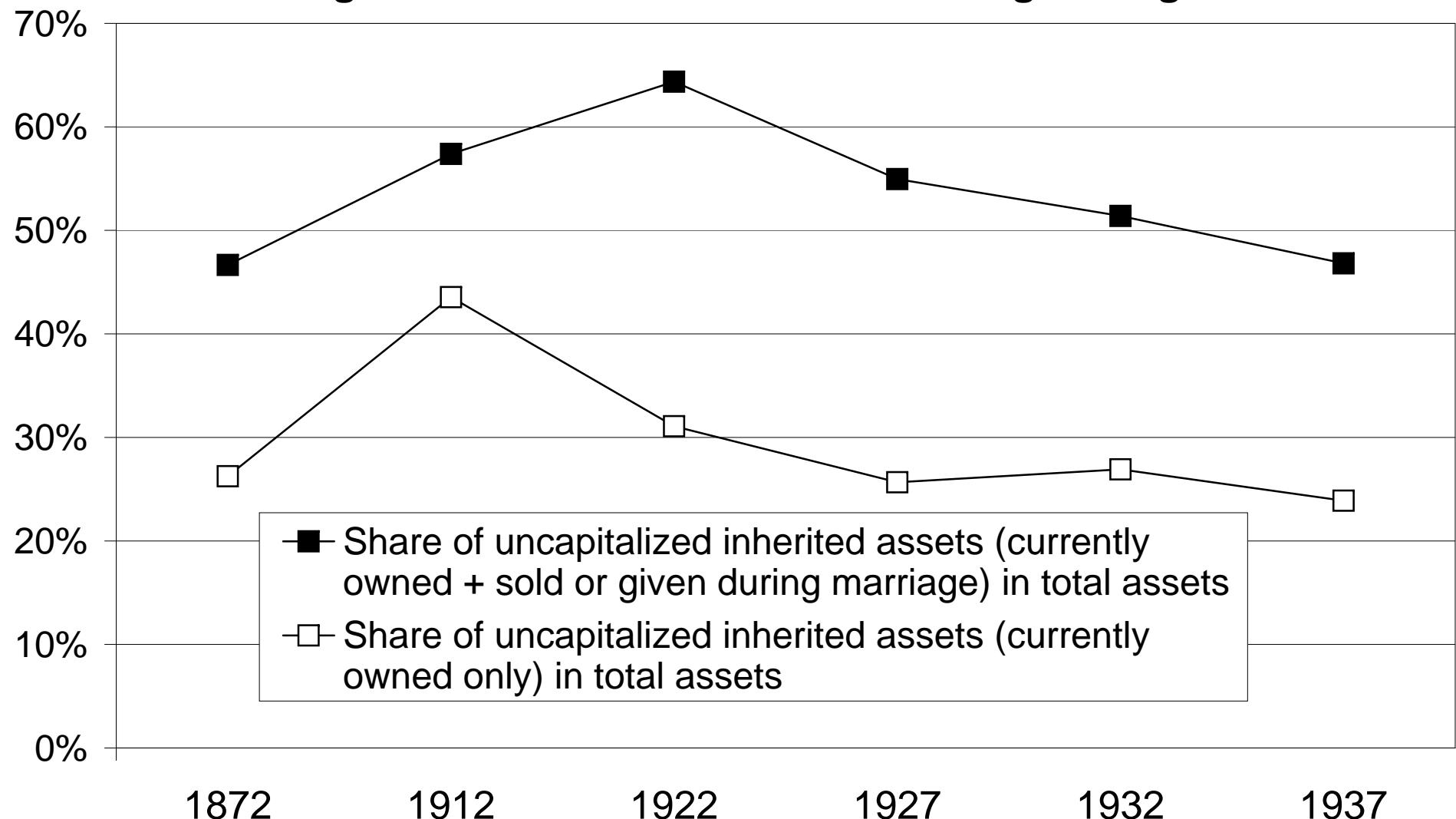
Note: Out-of-Paris real estate assets are missing in 1872; in 1912-1937, they make about 1/3 of real estate assets

**Table 6: Inherited asset composition in Paris 1872-1937**

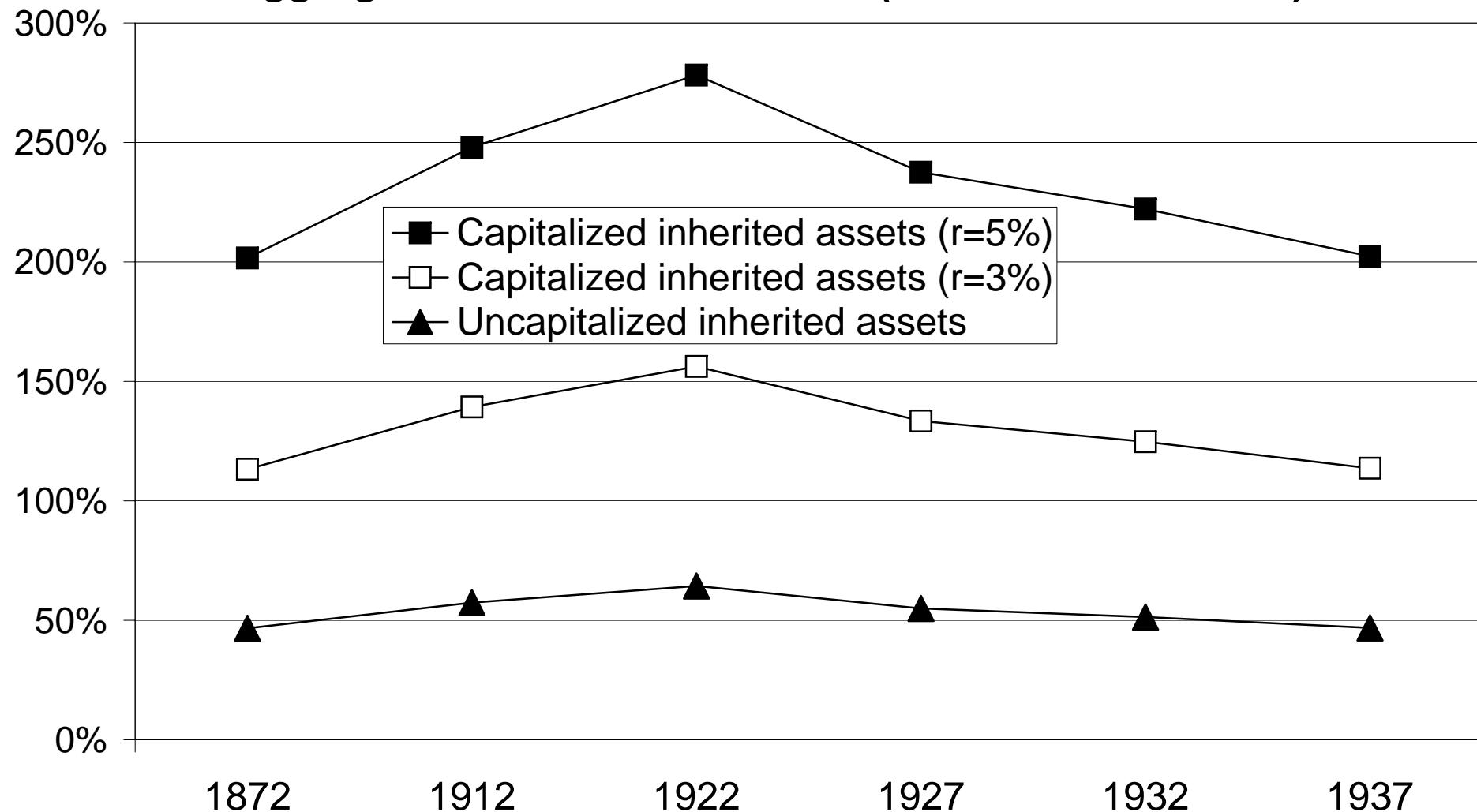
(% gross assets)	Real estate assets	Financial assets	inc. Equity	inc. Private bonds	inc. Govt bonds	inc. Other, cash,..	Total foreign financial assets	Furnitures
1872	<b>43%</b>	<b>56%</b>	14%	18%	16%	8%	8%	<b>1%</b>
1912	<b>45%</b>	<b>54%</b>	17%	16%	10%	9%	11%	<b>1%</b>
1922	<b>33%</b>	<b>63%</b>	24%	11%	11%	17%	11%	<b>4%</b>
1927	<b>32%</b>	<b>63%</b>	34%	8%	9%	13%	15%	<b>4%</b>
1932	<b>39%</b>	<b>57%</b>	29%	8%	11%	8%	12%	<b>3%</b>
1937	<b>43%</b>	<b>53%</b>	28%	9%	8%	8%	14%	<b>4%</b>

Note: Out-of-Paris real estate assets are missing in 1872; in 1912-1937, they make about 1/3 of real estate assets

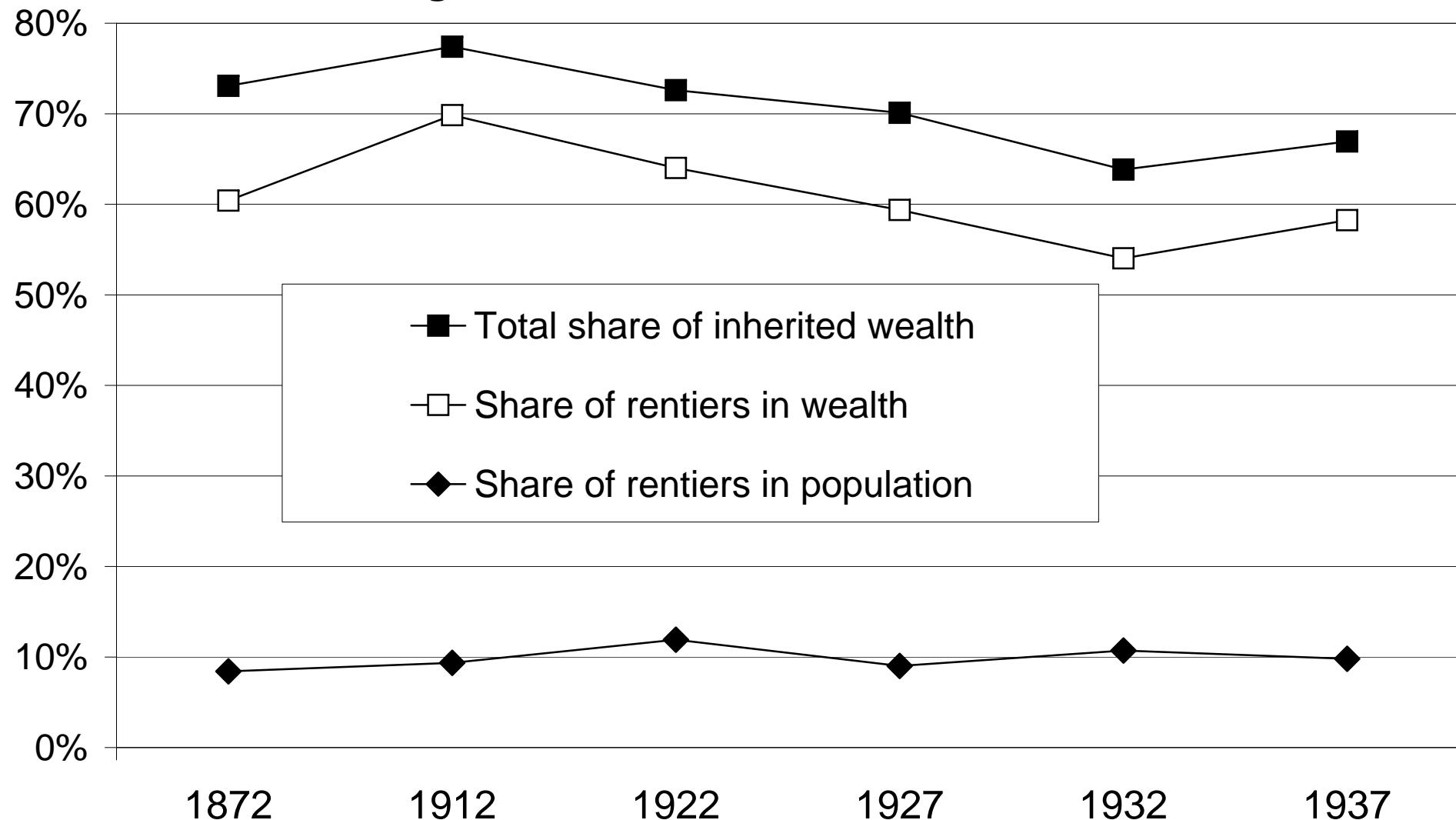
**Figure 4: Portfolio reallocations during marriage**



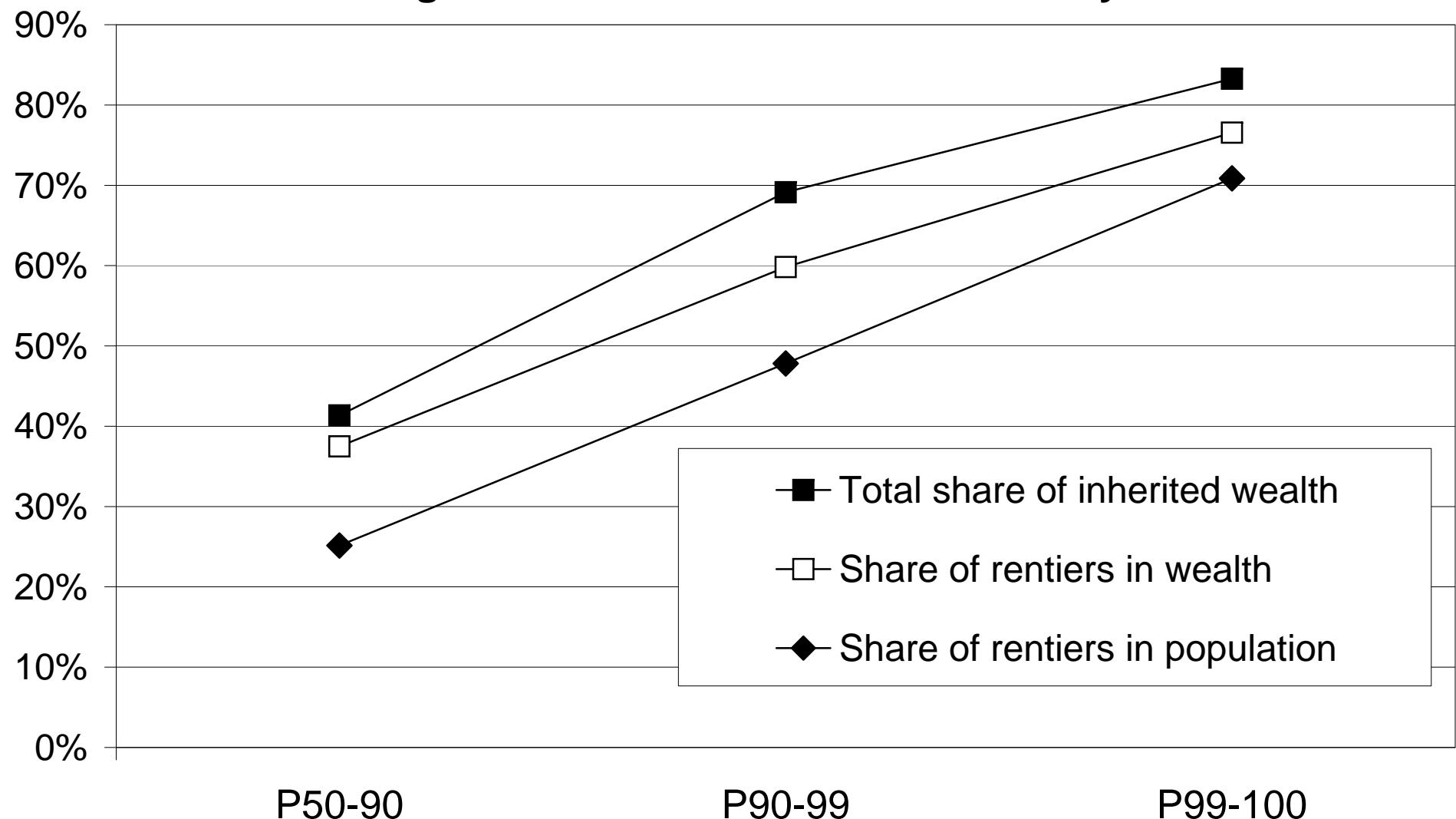
**Figure 5: Uncapitalized vs capitalized inheritance share in aggregate wealth accumulation (standard definitions)**



**Figure 6: Rentiers in Paris, 1872-1937**



**Figure 7: Paris 1912: a Rentier Society**



**Figure 8: Robustness with respect to the rate of return**

